

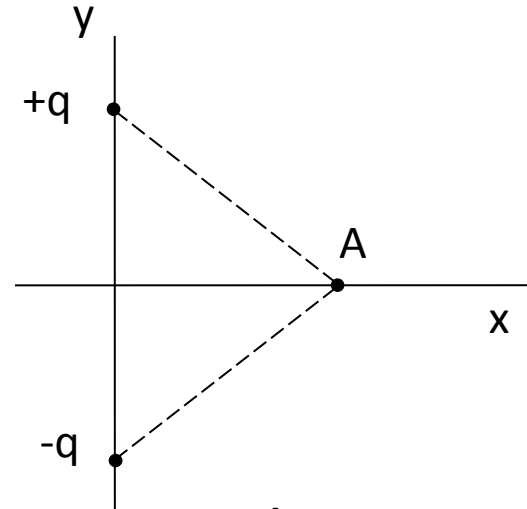
Electricity and Magnetism II

Griffiths Chapter 1-6 Review
Clicker Questions



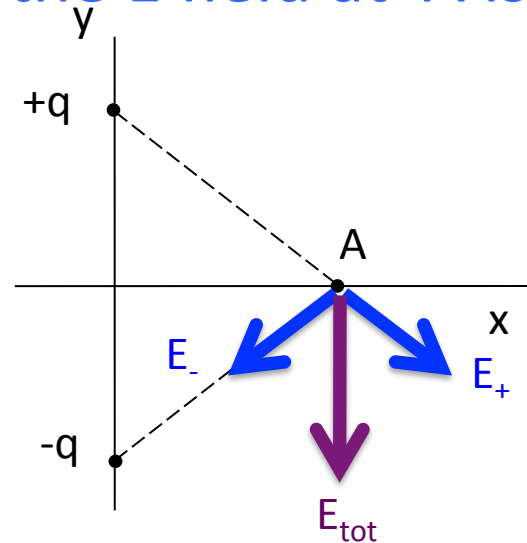
Two charges $+q$ and $-q$ are on the y -axis, symmetric about the origin. Point A is an empty point in space on the x -axis. The direction of the E field at A is...

- A. Up
- B. Down
- C. Left
- D. Right
- E. Some other direction, or $E = 0$, or ambiguous

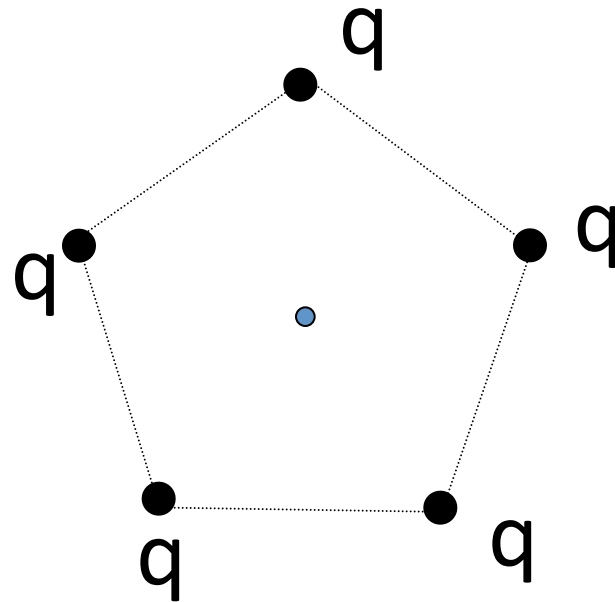


Two charges $+q$ and $-q$ are on the y -axis, symmetric about the origin. Point A is an empty point in space on the x -axis. The direction of the E field at A is...

- A. Up
- B. Down
- C. Left
- D. Right
- E. Some other direction, or $E = 0$, or ambiguous



5 charges, q , are arranged in a regular pentagon, as shown. What is the E field at the center?

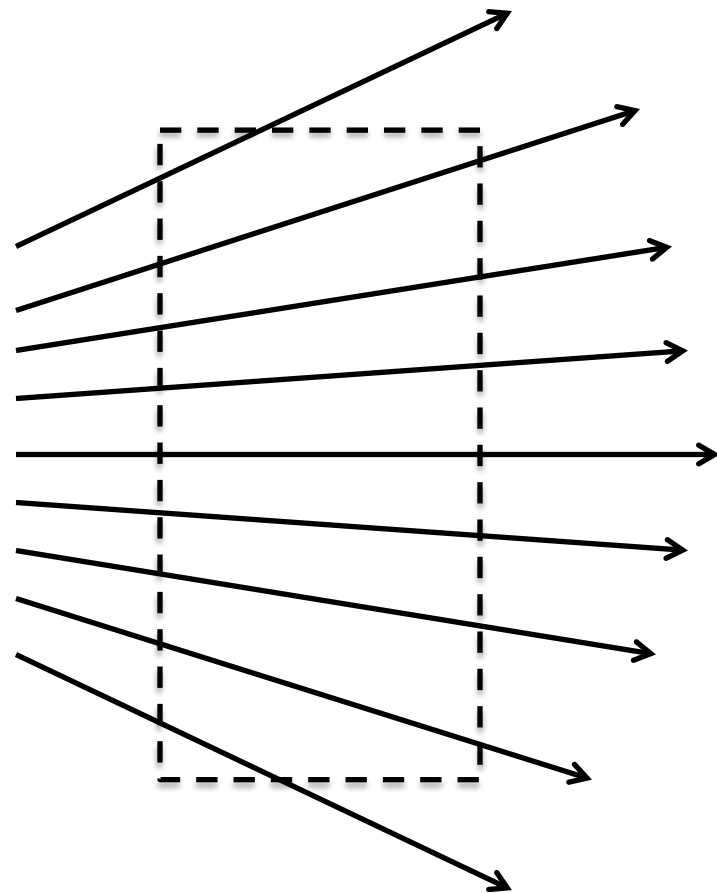


- A) Zero
- B) Non-zero
- C) Really need trig and a calculator to decide for sure
- D) Not quite sure how to decide...

Consider the vector field shown by this field line diagram.

Inside the dotted box, the divergence of the field is:

- A) zero everywhere
- B) non-zero everywhere
- C) zero some places and non-zero other places
- D) impossible to tell without more information

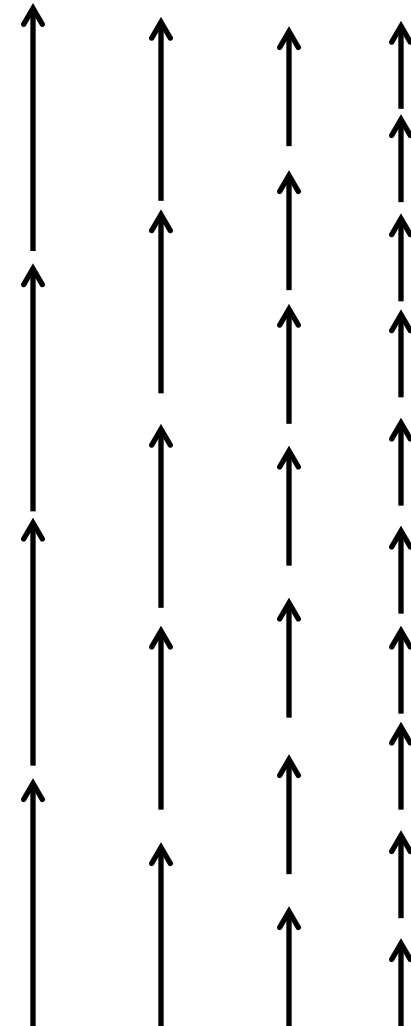


Consider the vector field shown.
Could this be a B-field?

- A) yes, sure!
- B) no, impossible!
- C) not enough info to answer question

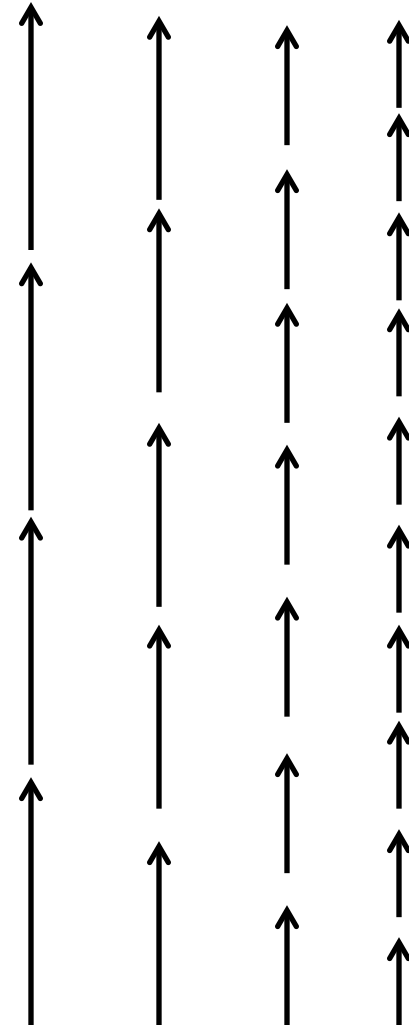
The curl of this field is :

- A) zero everywhere
- B) non-zero everywhere
- C) zero some places and non-zero other places
- D) impossible to tell without more information



Same B-field as in last question.
The current density \mathbf{j} is ..

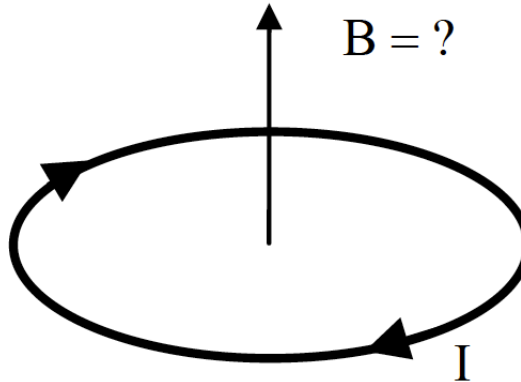
- A) everywhere zero
- B) non-zero and into page
- C) non-zero and out of page
- D) non-zero and in plane of page



Can you use Ampere's Law to compute the B-field at center of circular loop carrying current I ?

A) Yes

B) No



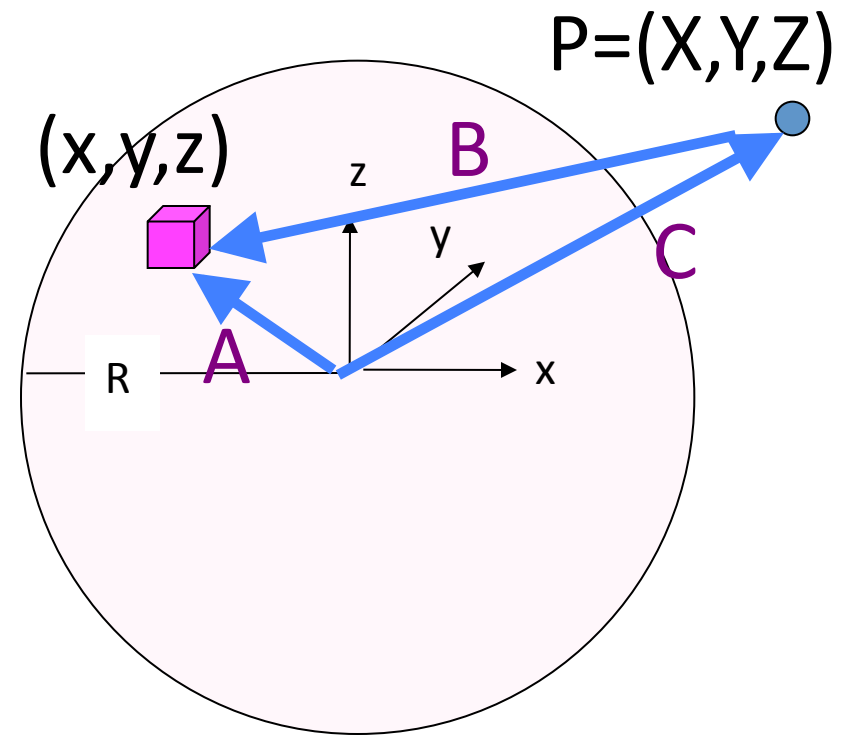
To find \mathbf{E} at P from a negatively charged sphere (radius R, volume charge density ρ),

$$\vec{\mathbf{E}} = \frac{1}{4\pi\epsilon_0} \iiint \frac{\hat{\mathbf{r}}}{r^2} \rho d\tau'$$

What is $\hat{\mathbf{r}}$ (given the small volume element shown)?

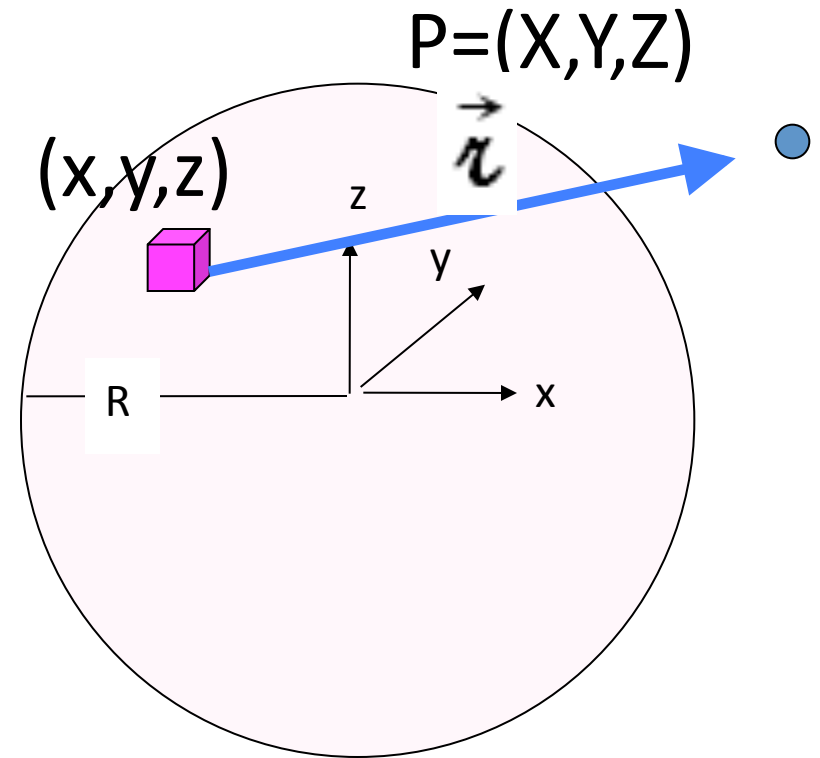
D) None of these

E) Answer is ambiguous



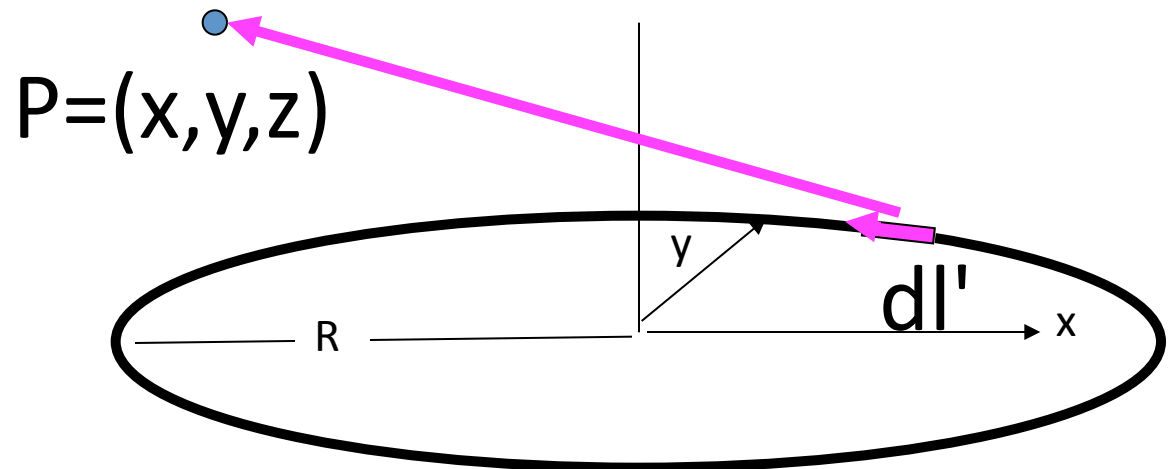
To find \mathbf{E} at P from a negatively charged sphere
(radius R, volume charge density ρ),

$$\vec{\mathbf{E}} = \frac{1}{4\pi\epsilon_0} \iiint \frac{\vec{\mathbf{r}}}{r^2} \rho d\tau'$$



To find E at P from a thin ring (radius R , charge density λ), which is the correct formula for the x-component of $\vec{\mathcal{R}}$?

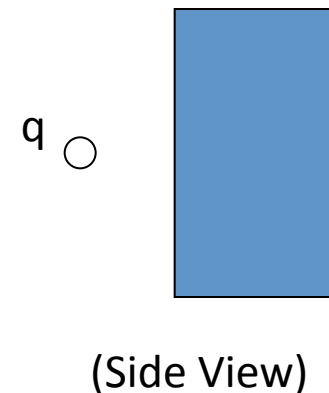
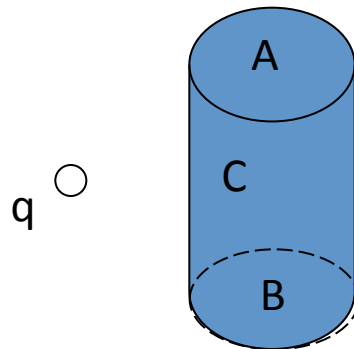
- A) $x-x'$
- B) $(x-x')/R$
- C) $(x-R \cos \phi')$
- D) $(x-x')/\text{Sqrt}[(x-x')^2+(y-y')^2+(z-z')^2]$
- E) More than one of the above is correct!



A positive point charge $+q$ is placed outside a closed cylindrical surface as shown.

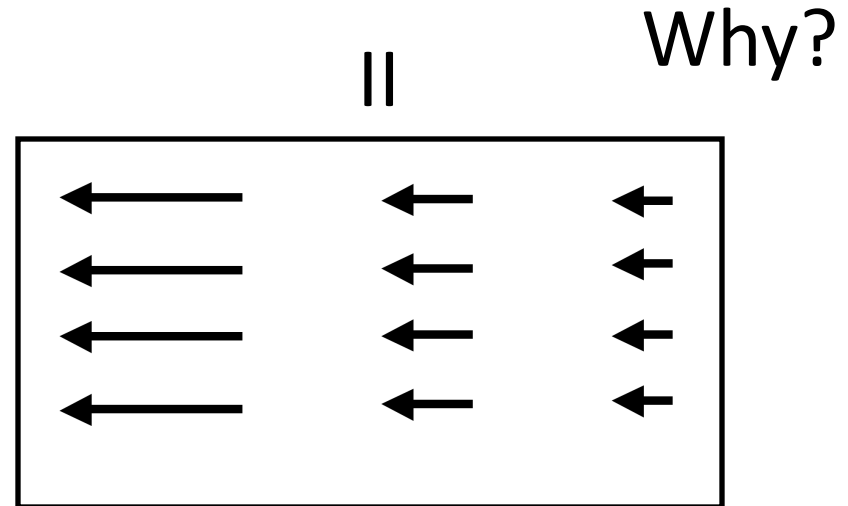
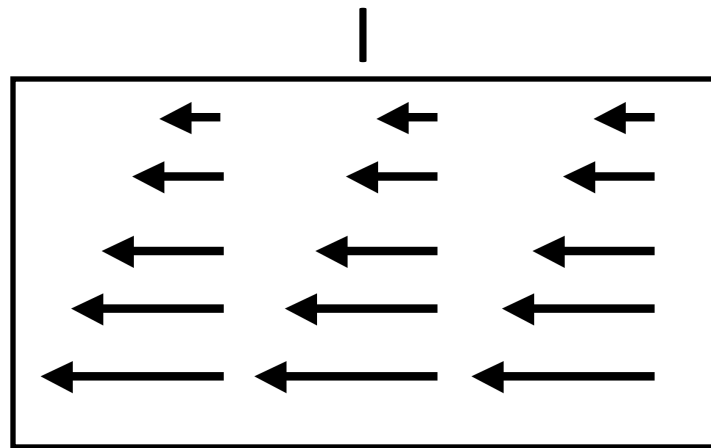
The closed surface consists of the flat end caps (labeled A and B) and the curved side surface (C). What is the sign of the electric flux through surface C?

- (A) positive (B) negative (C) zero
(D) To be sure, this requires calculating!



Can you think of more than one argument?

Which of the following could be a (physical) electrostatic field in the region shown?



A) Both

B) Only I

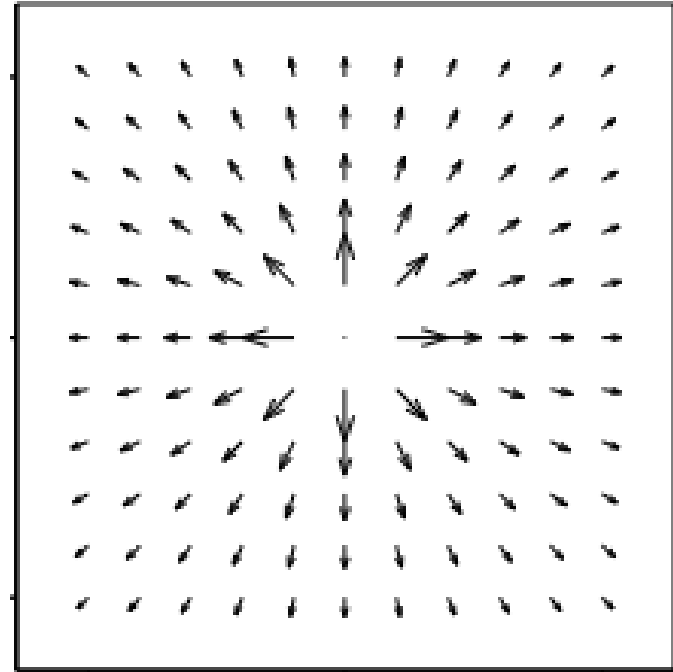
C) Only II

D) Neither

E) ??

Consider the 3D vector field in spherical coordinates, where $c = \text{constant}$.

$$\vec{V}(\vec{r}) = c \left(\frac{\hat{r}}{r^2} \right)$$

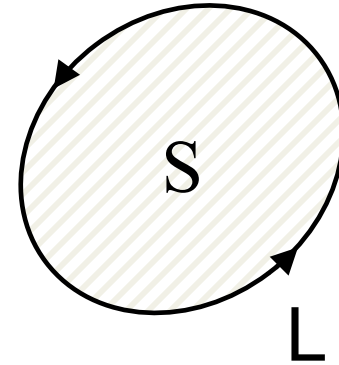


The divergence of this vector field is:

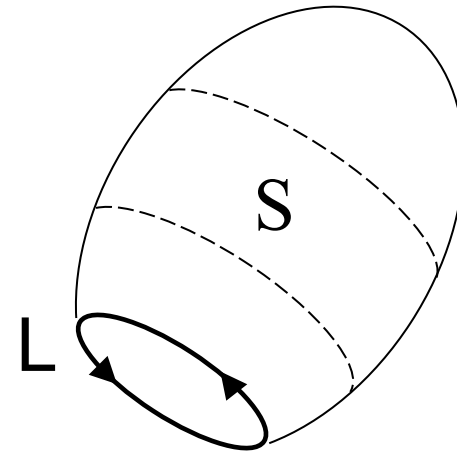
- A) Zero everywhere except at the origin
- B) Zero everywhere including the origin
- C) Non-zero everywhere, including the origin.
- D) Non-zero everywhere, except at origin (zero at origin)
- E) Not quite sure how to get this (without computing from the front flyleaf of Griffiths!)

Stokes' Theorem says that for a surface S bounded by a perimeter L , any vector field \vec{B} obeys

$$\int_S \nabla \times \vec{B} \cdot d\vec{a} = \oint_{L(S)} \vec{B} \cdot d\vec{l}$$



Does Stokes' Theorem apply for *any* surface S bounded by a perimeter L , even one such as this balloon-shaped surface S :

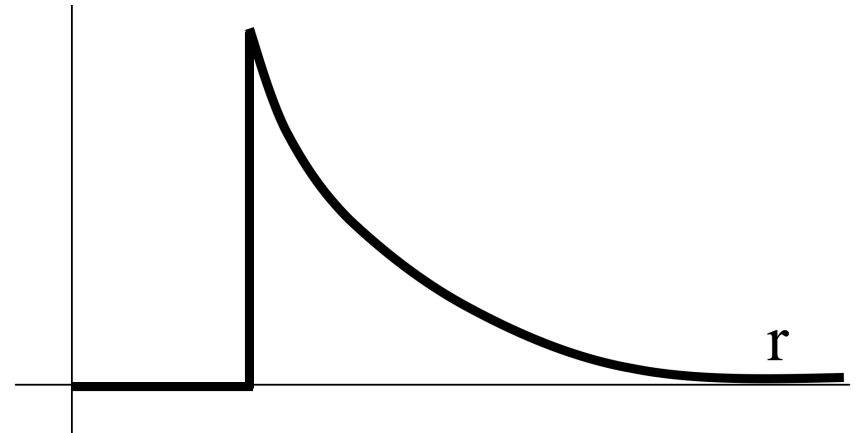


- A) Yes
- B) No
- C) Sometimes

Why is $\oint \vec{E} \cdot d\vec{l} = 0$ in electrostatics?

- a) Because $\nabla \times \vec{E} = 0$
- b) Because E is a conservative field
- c) Because the potential (voltage) between two points is independent of the path
- d) All of the above
- e) NONE of the above - it's not always true!

Could this be a plot of $|E|(r)$? Or $V(r)$?
(for SOME physical situation?)

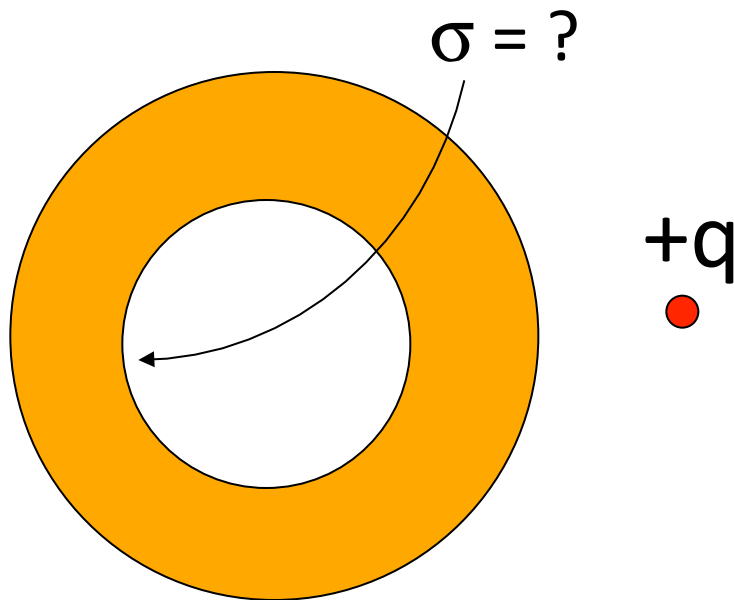


- A) Could be $E(r)$, or $V(r)$
- B) Could be $E(r)$, but can't be $V(r)$
- C) Can't be $E(r)$, could be $V(r)$
- D) Can't be either
- E) ???

Given a thin spherical *shell* with uniform *surface charge* density σ (and no other charges anywhere else) **what can you say about the potential V *inside* this sphere?**
(Assume as usual, $V(\infty)=0$)

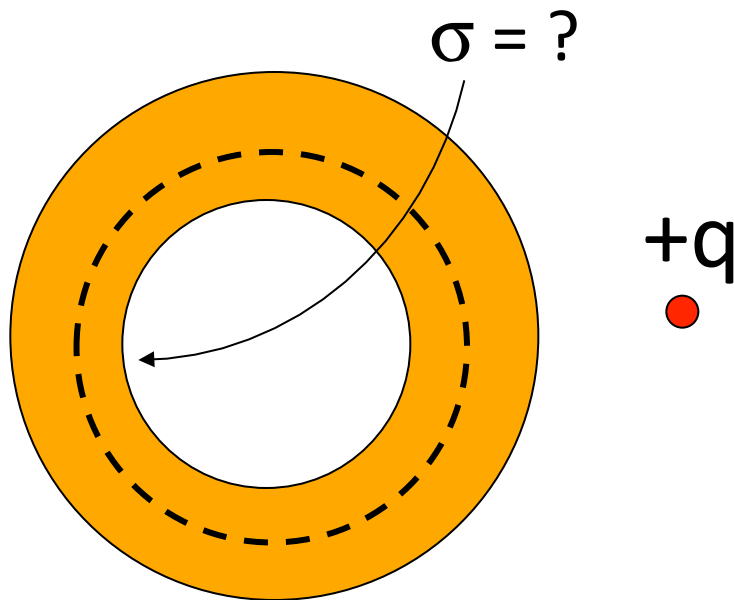
- A) $V=0$ everywhere inside
- B) V = non-zero constant everywhere inside
- C) V must vary with position, but 0 at the center.
- D) None of these/something else/not sure.

A point charge $+q$ is near a neutral copper sphere with a hollow interior space. In equilibrium, the surface charge density σ on the interior of the hollow space is..



- A) Zero everywhere
- B) Non-zero, but with zero net total charge on interior surface
- C) Non-zero, with non-zero net total charge on interior surface.

A point charge $+q$ is near a neutral copper sphere with a hollow interior space. In equilibrium, the surface charge density σ on the interior wall of the hollow conductor is..



- A) Zero everywhere
- B) Non-zero, but with zero net total charge on interior surface
- C) Non-zero, with non-zero net total charge on interior surface.

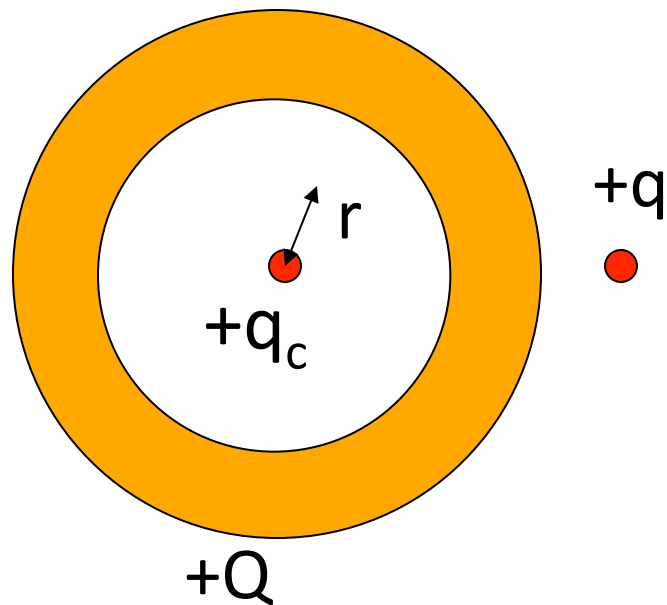
A HOLLOW copper sphere has total charge $+Q$.

A point charge $+q$ sits outside.

A charge q_c is in the hole, right at the center.

(As usual, assume static equilibrium.)

What is the magnitude of the E-field a distance r from q_c , (but, still inside the hole) .



A) $|E| = kq_c/r^2$

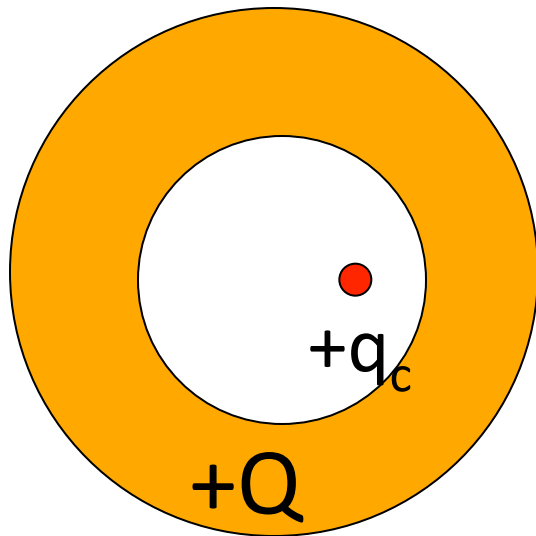
B) $|E| = k(q_c - Q)/r^2$

C) $|E| = 0$

D) None of these! /
it's hard to compute

A HOLLOW copper sphere has total charge $+Q$.
A point charge $+q$ sits outside.
A charge, q_c , is in the hole, SHIFTED right a bit.
(Assume static equilibrium.)

What does the E field look like in the hole?



- A) It's zero in there
- $+q$ B) Simple Coulomb field
• (straight away from q_c , right up to the wall)
- C) Simple (but *not* B)
- D) Complicated/ it's hard to compute

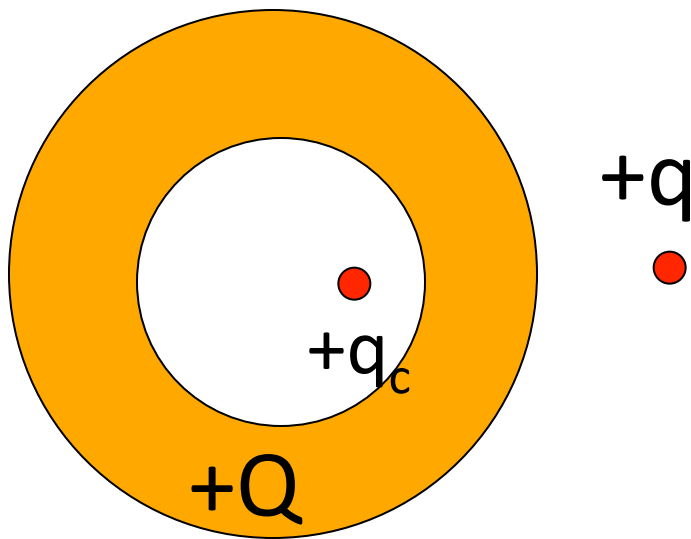
A HOLLOW copper sphere has total charge $+Q$.

A point charge $+q$ sits outside.

A charge, $+q_c$, is in the hole, SHIFTED right a bit.

(Assume static equilibrium.)

What does the charge distribution look like on the inner surface of the hole?

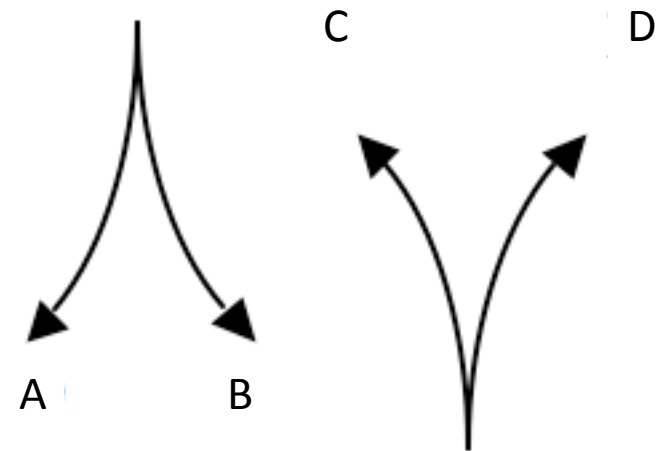
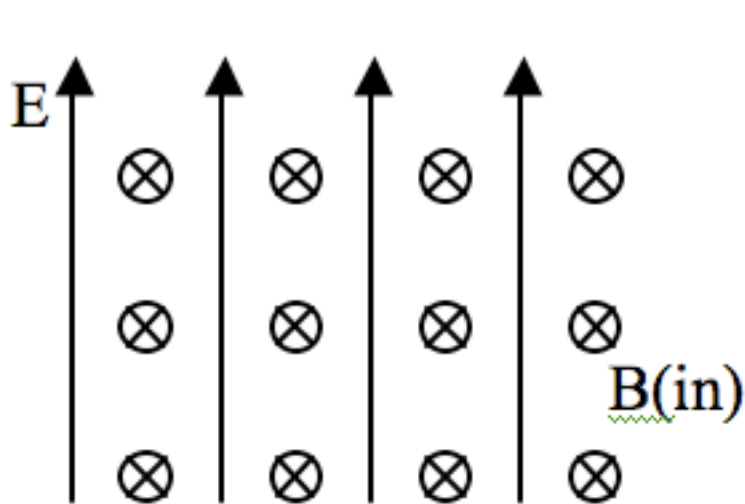


- A) All -, uniformly spread out
- B) - close to q_c , + opposite q_c
- C) All -, but more close to q_c and fewer opposite
- D) All + but more opposite q_c and fewer close
- E) Not enough information

A proton ($q=+e$) is released from rest in a uniform **E** and uniform **B** (as shown).

E points up, **B** points into the page.

Which of the paths will the proton initially follow?



E. It will remain stationary

(To think about: what happens after longer times?)

Current I flows down a wire (length L)
with a square cross section (side a)
If it is uniformly distributed over the entire wire
area, what is the magnitude of the volume
current density?

A) $J = I / a^2$

B) $J = I / a$

C) $J = I / (a^2 L)$

D) $J = I / a^3$

E) None of the above!

Current I flows down a wire (length L)
with a square cross section (side a)
If it is uniformly distributed over the outer surfaces
only, what is the magnitude of the surface current
density K ?

A) $K = I/a^2$ B) $K = I/a$

C) $K = I/(4a)$ D) $K = I/(a^2 L)$

E) None of the above

To think about: does it seem physically correct to you that charges
WOULD distribute evenly over the outer surface?

What is B at the point shown?

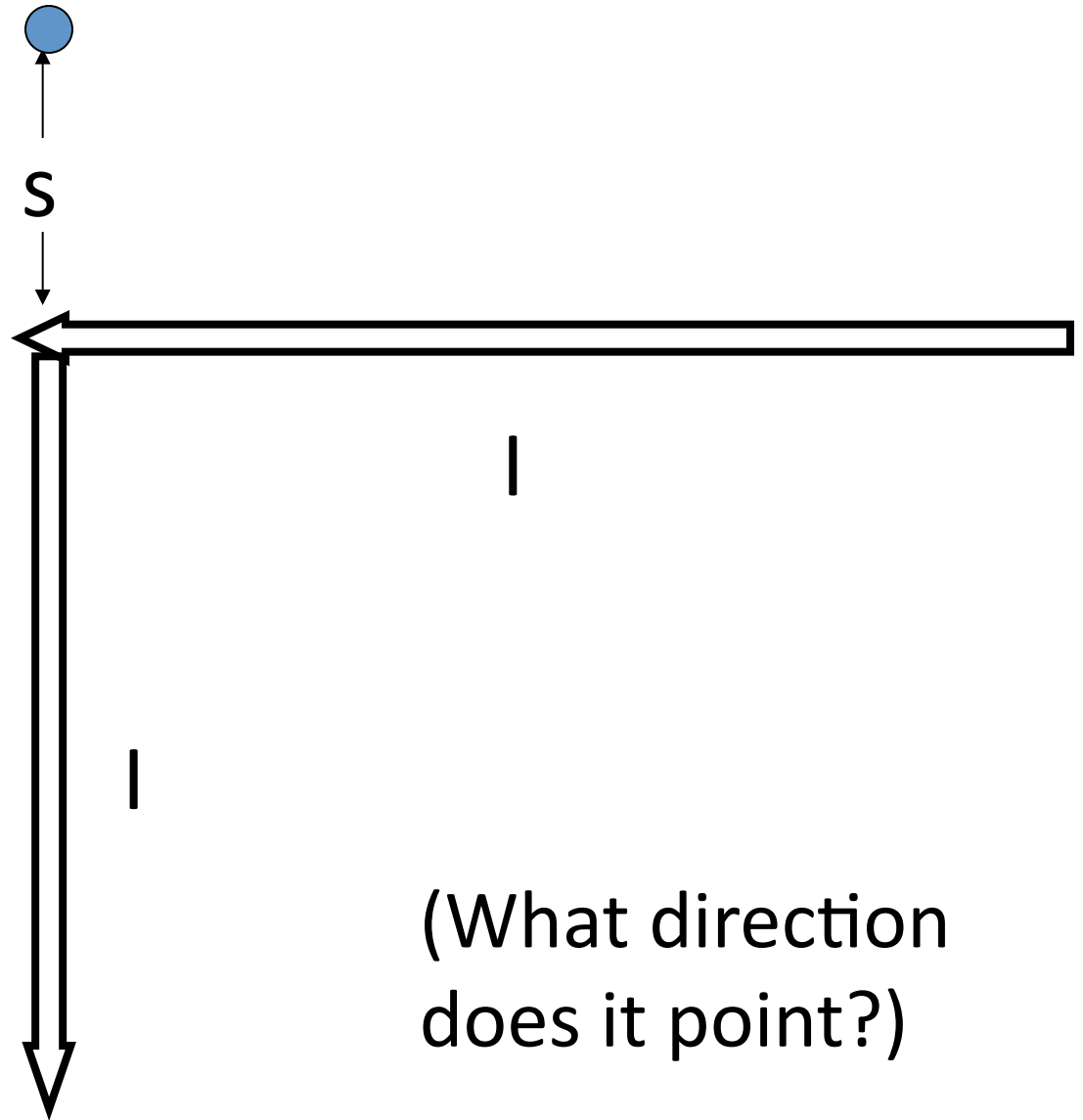
A) $\frac{\mu_0}{\pi} \frac{I}{s}$

B) $\frac{\mu_0}{2\pi} \frac{I}{s}$

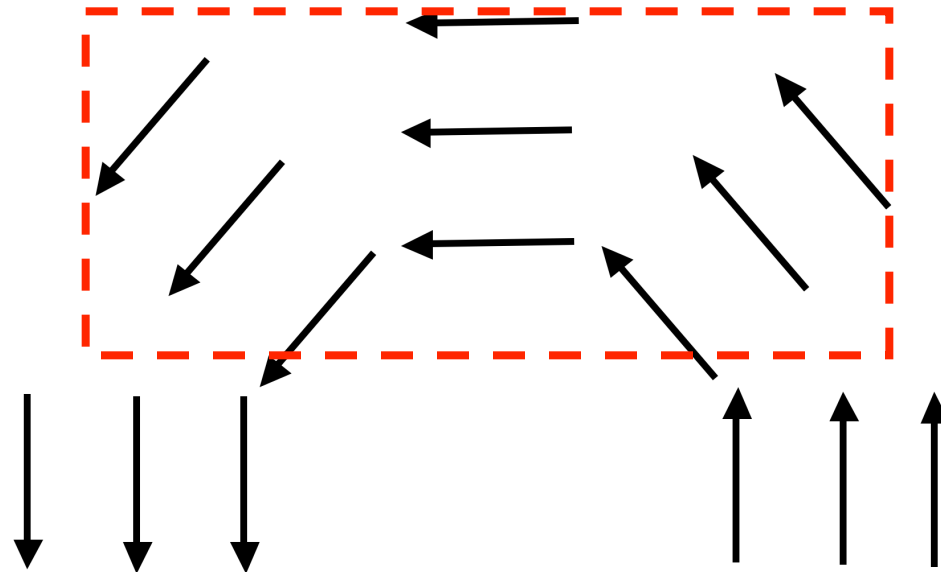
C) $\frac{\mu_0}{4\pi} \frac{I}{s}$

D) $\frac{\mu_0}{8\pi} \frac{I}{s}$

E) None of these



If the arrows represent a B field (note that $|B|$ is the same everywhere), is there a \mathbf{J} (perpendicular to the page) in the dashed region?

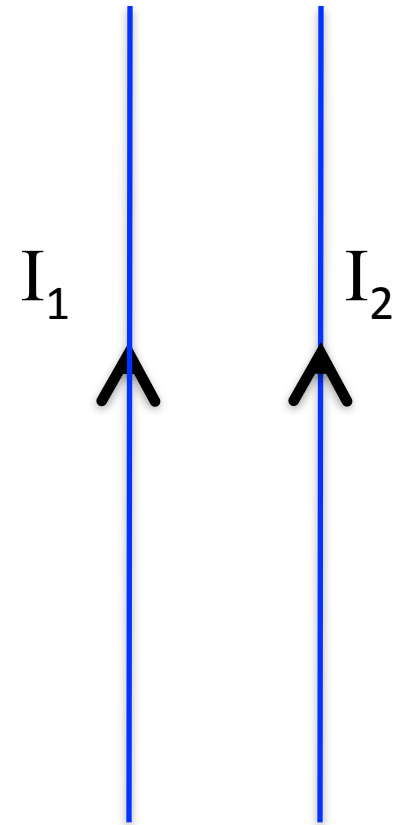


$$\vec{B} = B_0 \hat{\phi}$$

- A. Yes, (\mathbf{J} is non-zero in that region)
- B. No, ($\mathbf{J}=0$ throughout that region)
- C. ??/Need more information to decide

I have two very long, parallel wires each carrying a current I_1 and I_2 , respectively. In which direction is the force on the wire with the current I_2 ?

- A) Up
- B) Down
- C) Right
- D) Left
- E) Into or out of the page



(How would your answer change if you would reverse the direction of the currents?)