

An EM plane wave comes from the left towards an interface. Reflected and transmitted waves leave. At the interface we expect to match the waves with something like:  $\mathbf{E}_1^{//} = \mathbf{E}_2^{//}$

$$(\text{blah})e^{[i(\vec{k}_I \cdot \vec{r} - \omega_I t)]} + (\text{blah})e^{[i(\vec{k}_R \cdot \vec{r} - \omega_R t)]} = (\text{blah})e^{[i(\vec{k}_T \cdot \vec{r} - \omega_T t)]}$$

$$(\text{blah})e^{-i\omega_I t} + (\text{blah})e^{-i\omega_R t} = (\text{blah})e^{-i\omega_T t}$$

$$\omega_I = \omega_R = \omega_T$$

An EM plane wave comes from the left towards an interface. Reflected and transmitted waves leave. At the interface we expect to match the waves with something like:  $\mathbf{E}_1^{//} = \mathbf{E}_2^{//}$

$$(\text{blah})e^{[i(\vec{k}_I \cdot \vec{r} - \omega_I t)]} + (\text{blah})e^{[i(\vec{k}_R \cdot \vec{r} - \omega_I t)]} = (\text{blah})e^{[i(\vec{k}_T \cdot \vec{r} - \omega_I t)]}$$

$$(\text{blah})e^{i\vec{k}_I \cdot \vec{r}} + (\text{blah})e^{i\vec{k}_R \cdot \vec{r}} = (\text{blah})e^{i\vec{k}_T \cdot \vec{r}}$$

$$\vec{k}_I \cdot \vec{r} = \vec{k}_R \cdot \vec{r} = \vec{k}_T \cdot \vec{r}$$