

CURRENTS, OHM'S LAW

7.1a

For everyday currents in home electronics and wires, which answer is the order of magnitude of the average velocity of the electrons along the wire?

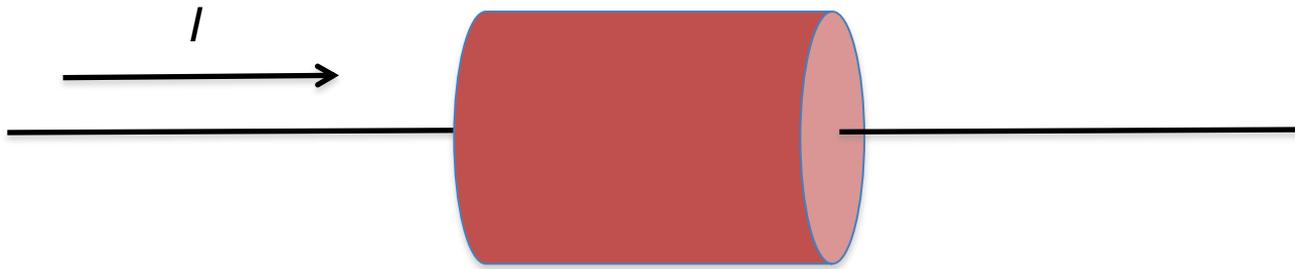
- A. km/s
- B. m/s
- C. mm/s
- D. $\mu\text{m/s}$
- E. nm/s

7.1b

For everyday currents in home electronics and wires, which answer is the order of magnitude of the instantaneous speed of the electrons in the wire?

- A. km/s
- B. m/s
- C. mm/s
- D. $\mu\text{m/s}$
- E. nm/s

7.2
An electric current I flows along a copper wire (low resistivity) into a resistor made of carbon (high resistivity) then back into another copper wire.
In which material is the electric field largest?



- A. In the copper wire
- B. In the carbon resistor
- C. It's the same in both copper and carbon
- D. It depends on the sizes of the copper and carbon

7.3

An steady electric current I flows around a circuit containing a battery of voltage V and a resistor R . Which of the following statements about $\oint \vec{E} \cdot d\vec{l}$ is true?

- A. It is zero around the circuit because it's an electrostatic field
- B. It is non-zero around the circuit because it's not an electrostatic field
- C. It is zero around the circuit because of the electric field is not time dependent
- D. It is non-zero around the circuit because there is no electric field in the battery, only in the rest of the circuit
- E. None of the above

5.10 Which of the following is a statement of charge conservation?

A) $\frac{\partial \rho}{\partial t} = -\int \vec{\mathbf{J}} \cdot d\vec{\mathbf{l}}$

B) $\frac{\partial \rho}{\partial t} = -\iint \vec{\mathbf{J}} \cdot d\vec{\mathbf{A}}$

C) $\frac{\partial \rho}{\partial t} = -\iiint (\nabla \cdot \vec{\mathbf{J}}) d\tau$

D) $\frac{\partial \rho}{\partial t} = -\nabla \cdot \vec{\mathbf{J}}$

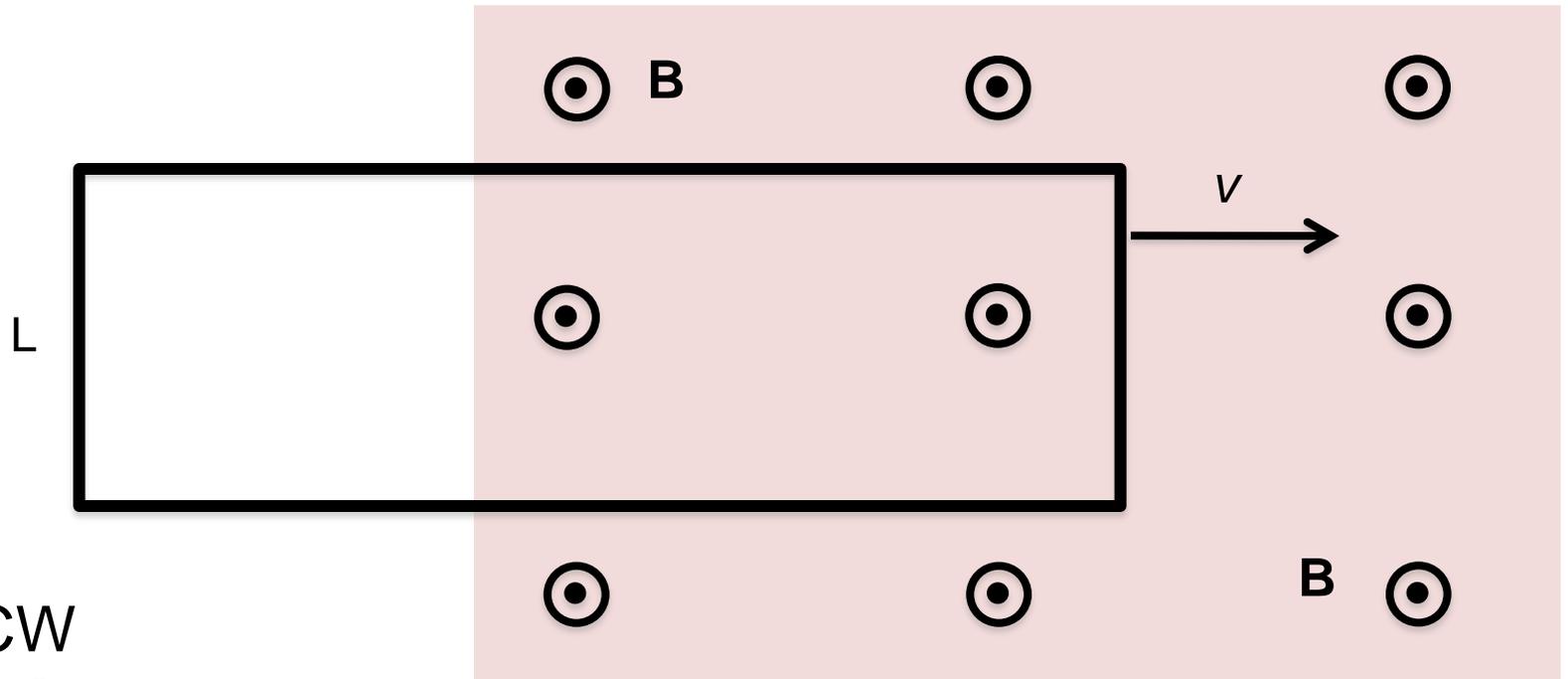
E) Not sure/can't remember

MOTIONAL EMF

7.4

One end of rectangular metal loop enters a region of constant uniform magnetic field \mathbf{B} with speed v , as shown.

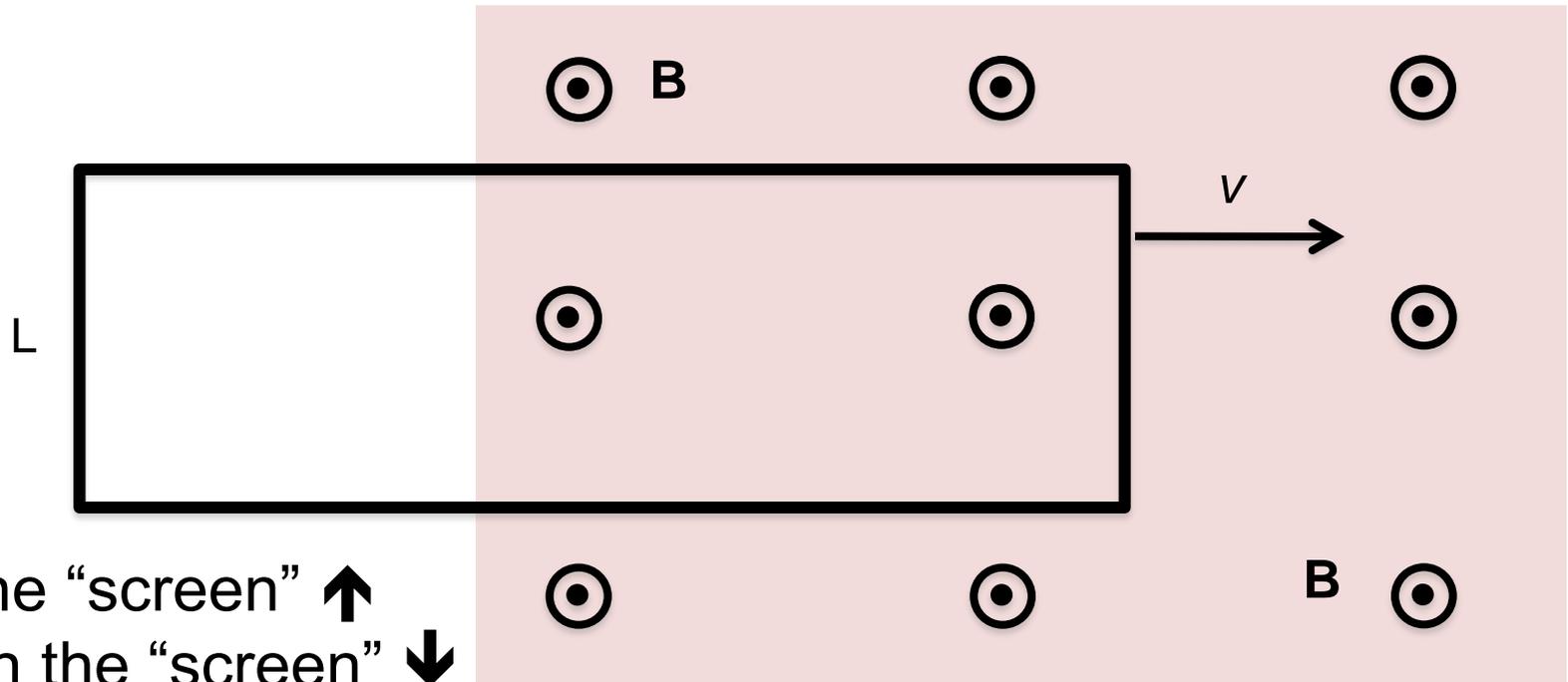
In which direction does the current flow?



- A. CW
- B. CCW
- C. Depends on the length of the sides
- D. Depends on the resistivity of the metal

7.5

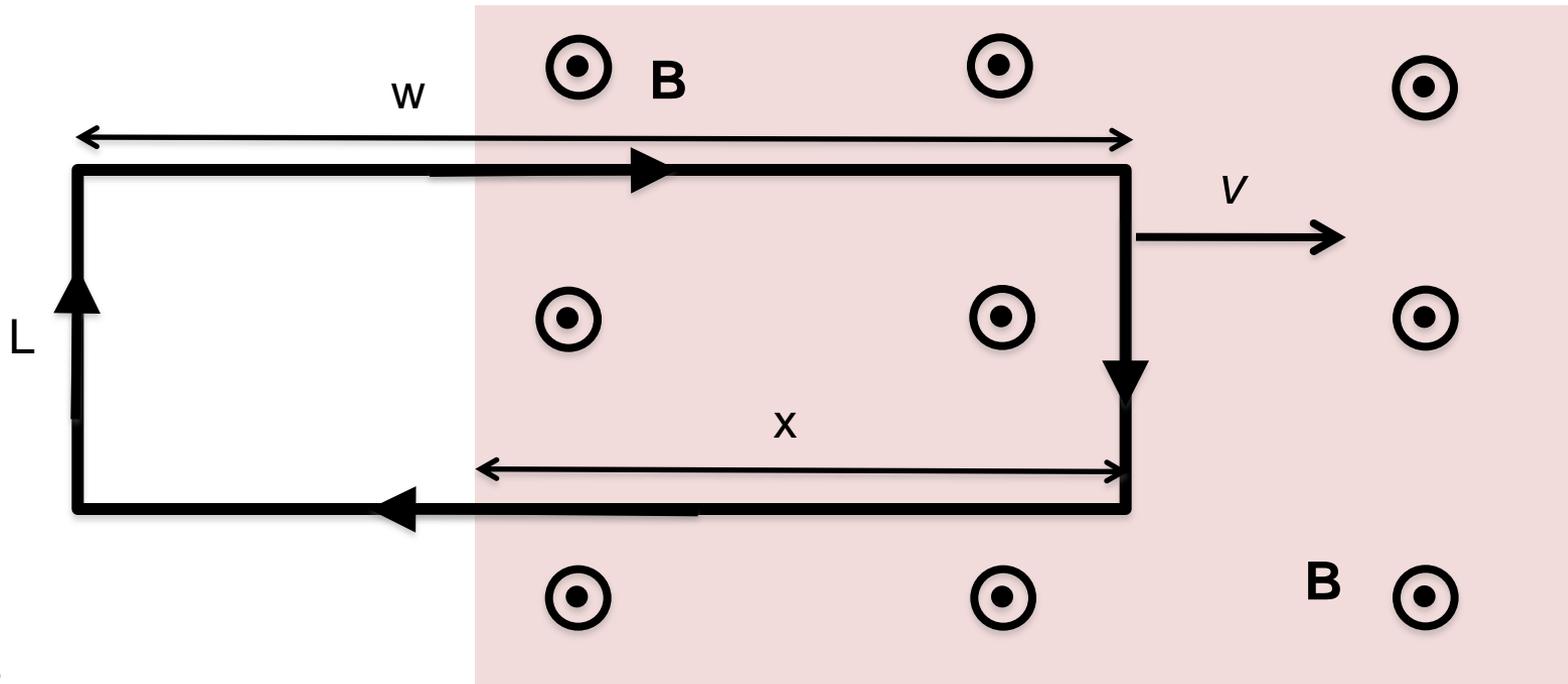
One end of rectangular metal loop enters a region of constant uniform magnetic field \mathbf{B} , with constant speed v , as shown. What direction is the net force on the loop?



- A. Up the “screen” \uparrow
- B. Down the “screen” \downarrow
- C. To the right \rightarrow
- D. To the left \leftarrow
- E. The net force is zero

7.6

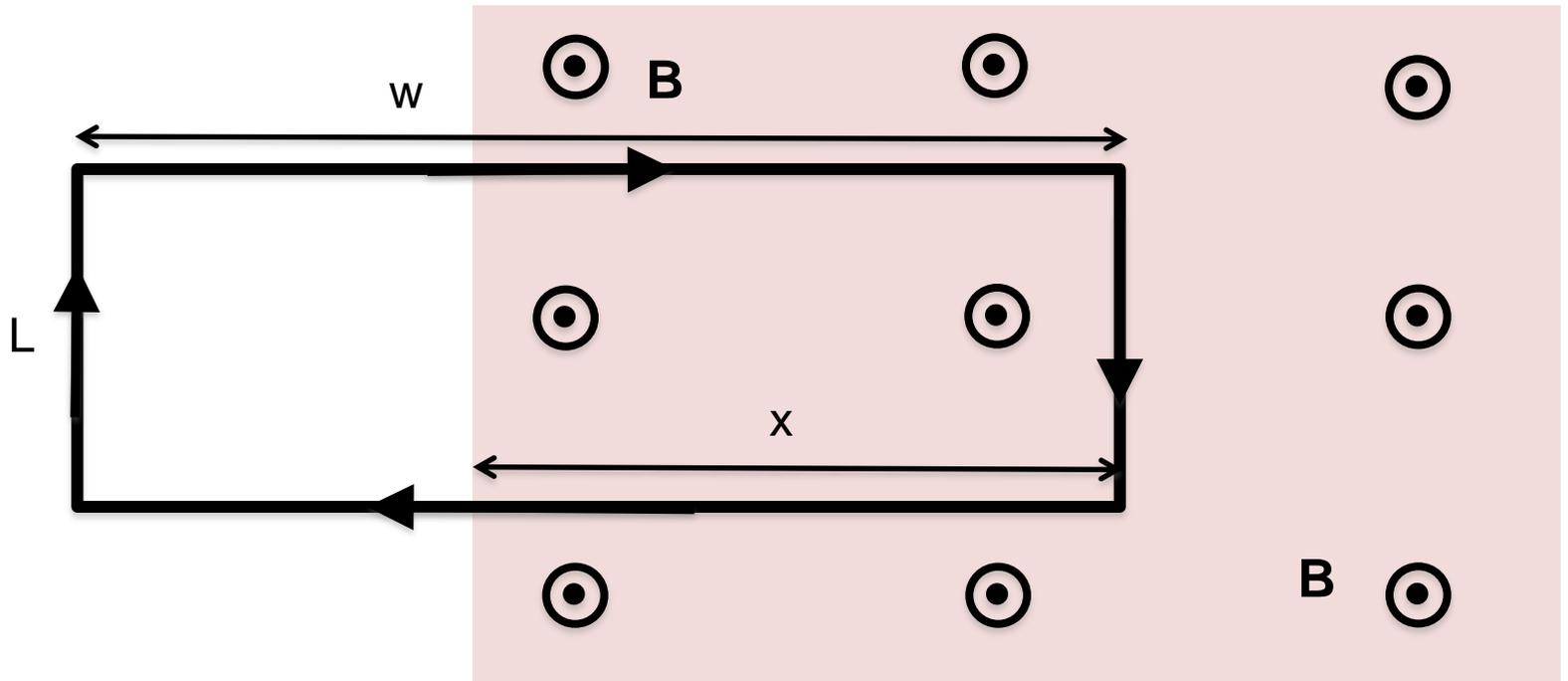
One end of rectangular metal loop enters a region of constant uniform magnetic field \mathbf{B} , with constant speed v , as shown. What is the flux through the loop at the instant shown?



- A. LwB
- B. $-LwB$
- C. LxB
- D. $-LxB$
- E. 0

7.7

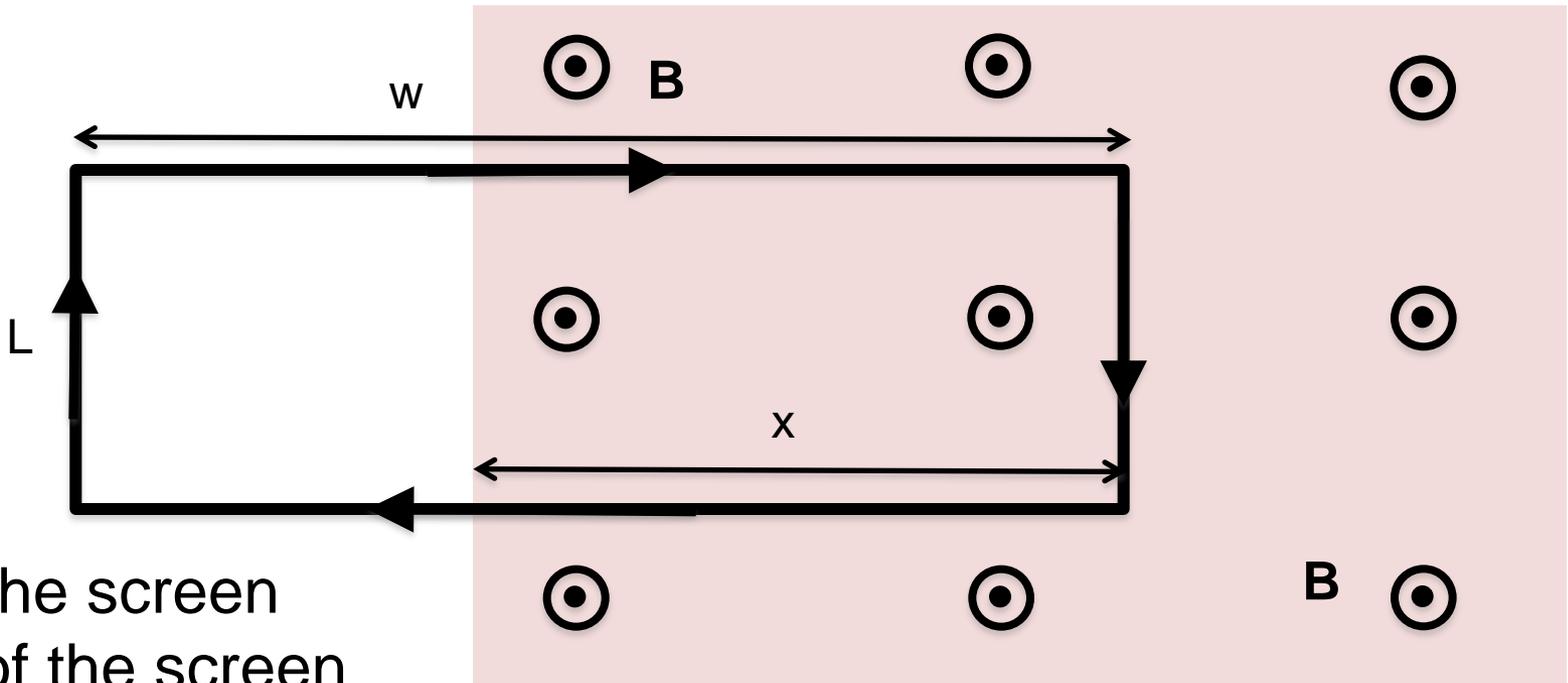
One end of stationary rectangular metal loop is in a region of uniform magnetic field \mathbf{B} , which has magnitude B increasing with time as $B=B_0+kt$. What is the emf around the loop?



- A. Lxk
- B. $-Lxk$
- C. LxB_0
- D. $-LxB_0$
- E. 0

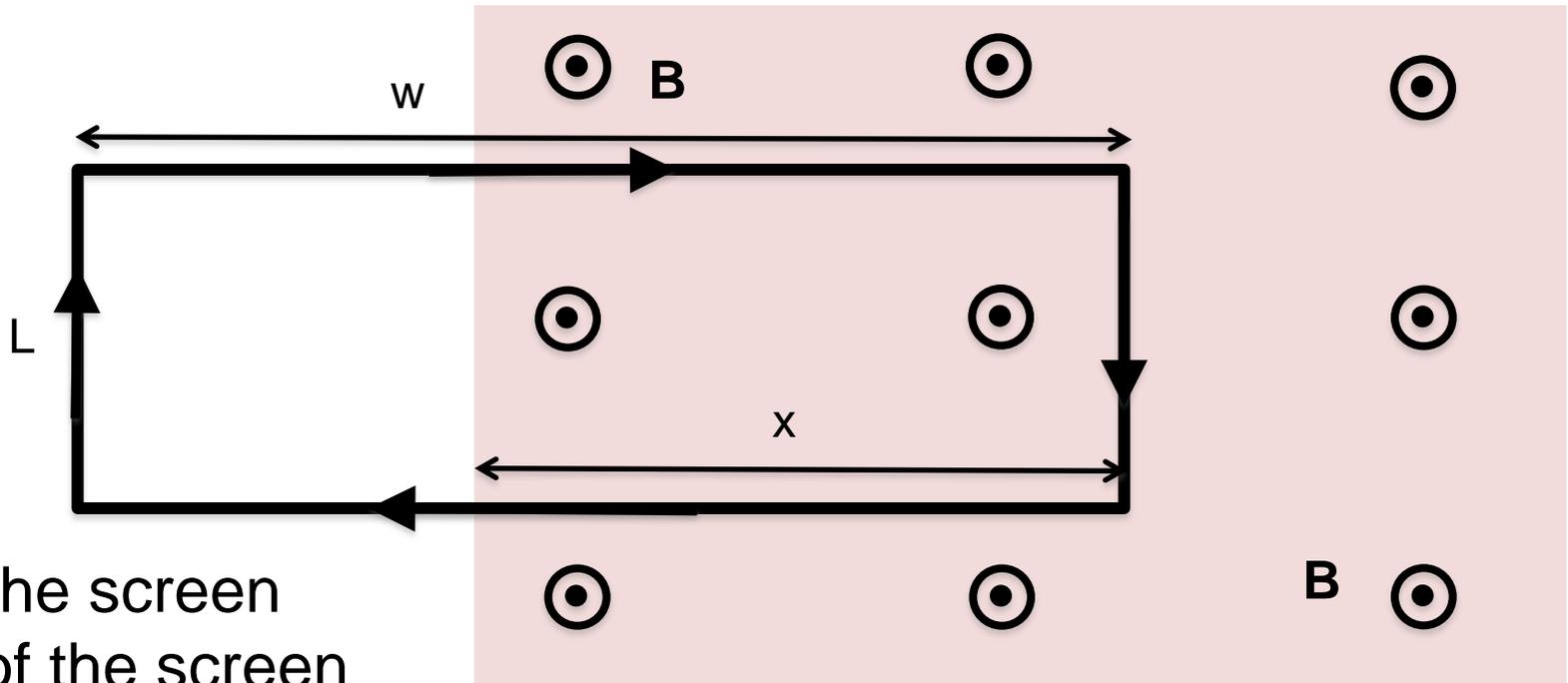
7.8

One end of stationary rectangular metal loop is in a region of uniform magnetic field \mathbf{B} , which has magnitude B increasing with time as $B=B_0+kt$. What is the direction of the field \mathbf{B}_{ind} created by the induced current in the loop, in the plane region inside the loop?



- A. Into the screen
- B. Out of the screen
- C. To the left
- D. To the right
- E. Not enough information

One end of stationary rectangular metal loop is in a region of uniform magnetic field \mathbf{B} , which has magnitude B *decreasing* with time as $B=B_0-kt$. What is the direction of the field \mathbf{B}_{ind} created by the induced current in the loop, in the plane region inside the loop?

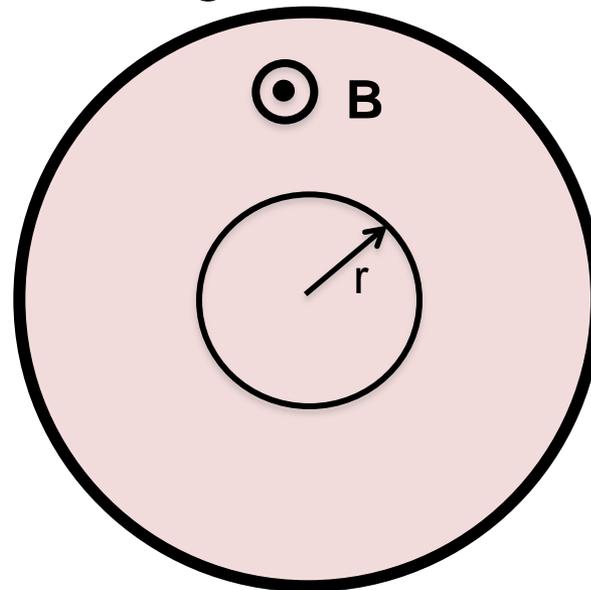


- Into the screen
- Out of the screen
- To the left
- To the right
- Not enough information

7.10

The current in an infinite solenoid with uniform magnetic field \mathbf{B} inside is increasing so that the magnitude B is increasing with time as $B=B_0+kt$. A small circular loop of radius r is placed coaxially inside the solenoid as shown. Without calculating anything,

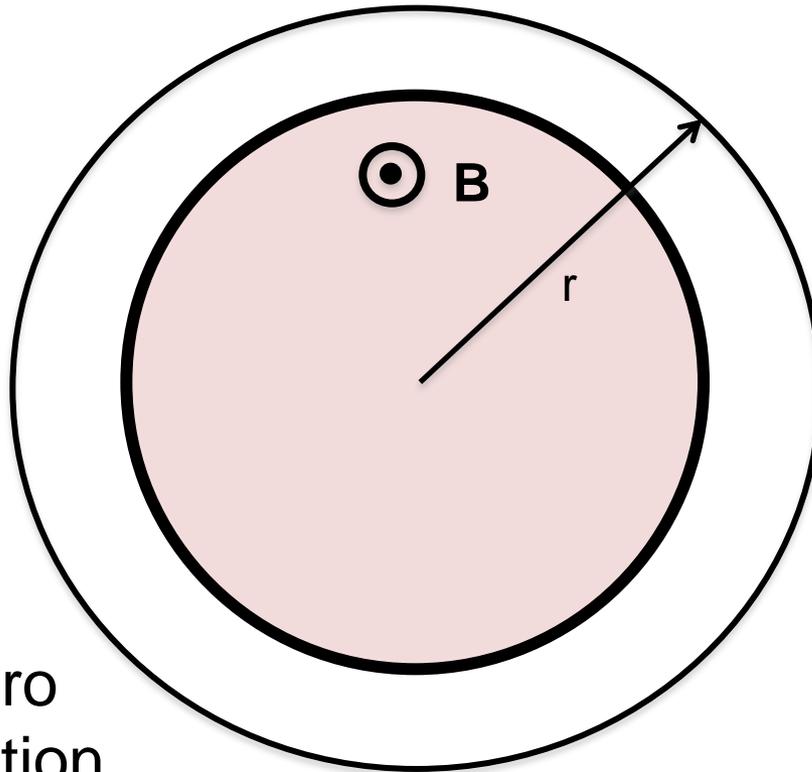
determine the direction of the field \mathbf{B}_{ind} created by the induced current in the loop, in the plane region inside the loop?



- A. Into the screen
- B. Out of the screen
- C. CW
- D. CCW
- E. Not enough information

7.11

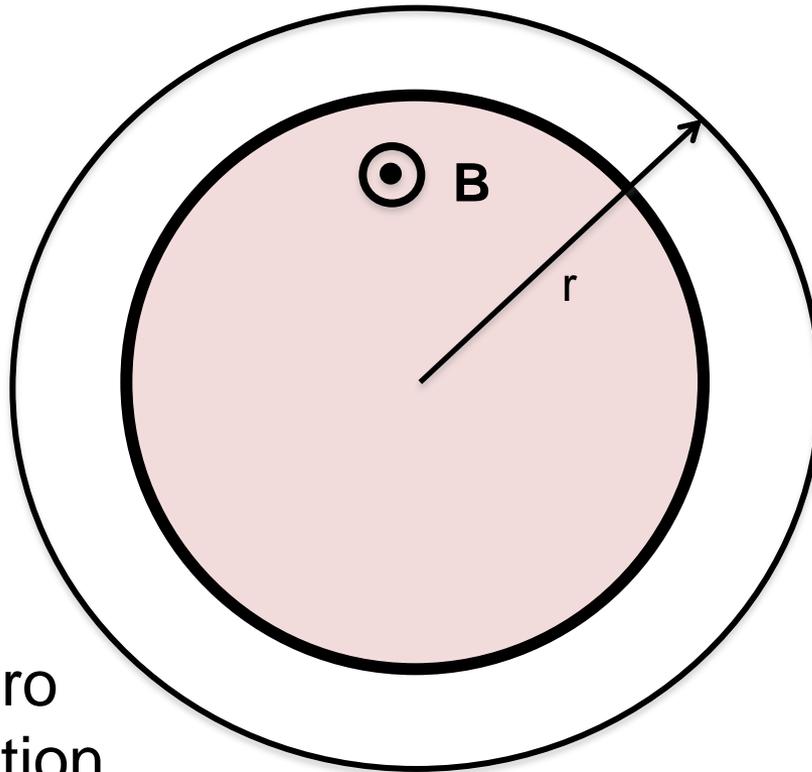
The current in an infinite solenoid with uniform magnetic field \mathbf{B} inside is increasing so that the magnitude B is increasing with time as $B=B_0+kt$. A circular loop of radius r is placed coaxially outside the solenoid as shown. In what direction is the induced \mathbf{E} field around the loop?



- A. CW
- B. CCW
- C. The induced \mathbf{E} is zero
- D. Not enough information

7.12

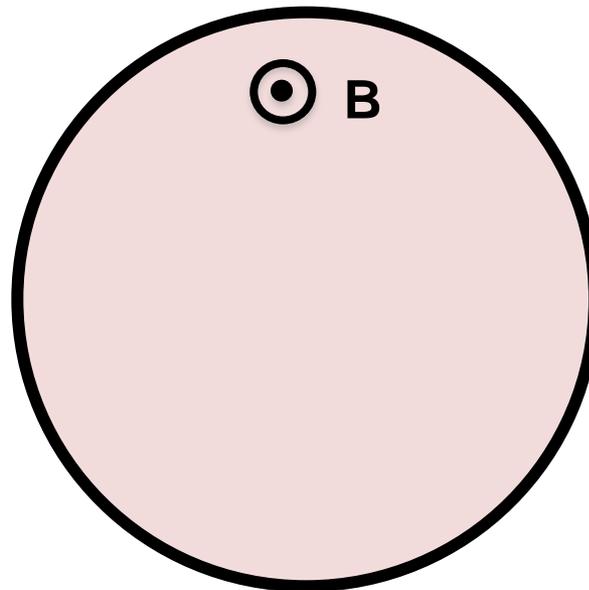
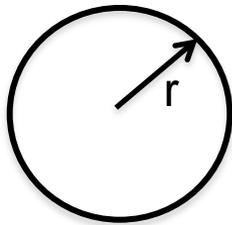
The current in an infinite solenoid with uniform magnetic field \mathbf{B} inside is increasing so that the magnitude B is increasing with time as $B=B_0+kt$. A circular loop of radius r is placed coaxially outside the solenoid as shown. Without calculating anything, determine the direction of the field \mathbf{B}_{ind} created by the induced current in the loop, in the plane region inside the loop?



- A. Into the screen
- B. Out of the screen
- C. The induced B is zero
- D. Not enough information

7.13

The current in an infinite solenoid with uniform magnetic field \mathbf{B} inside is increasing so that the magnitude B is increasing with time as $B=B_0+kt$. A small circular loop of radius r is placed outside the solenoid as shown. What is the emf around the small loop?



- A. $k\pi r^2$
- B. $-k\pi r^2$
- C. Zero
- D. Nonzero, but need more information for value
- E. Not enough information to tell if zero or non-zero

7.1

Consider two situations:

- 1) loop moves right at velocity $V(\text{loop})$, and
- 2) magnet moves left, $V(\text{mag})$.

Assuming $|V(\text{loop})| = |V(\text{mag})|$, what will the ammeter read in each case?

(Call CW current positive)

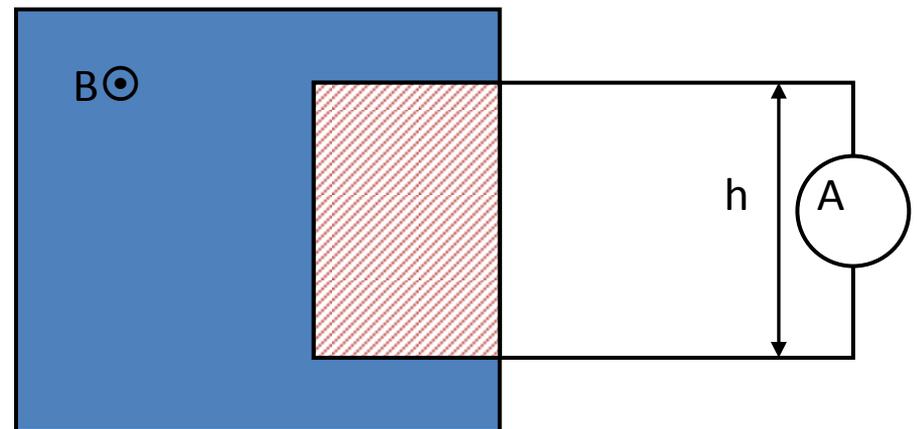
A) $I_1 > 0, I_2 = 0$

B) $I_1 < 0, I_2 = 0$

C) $I_1 = I_2$

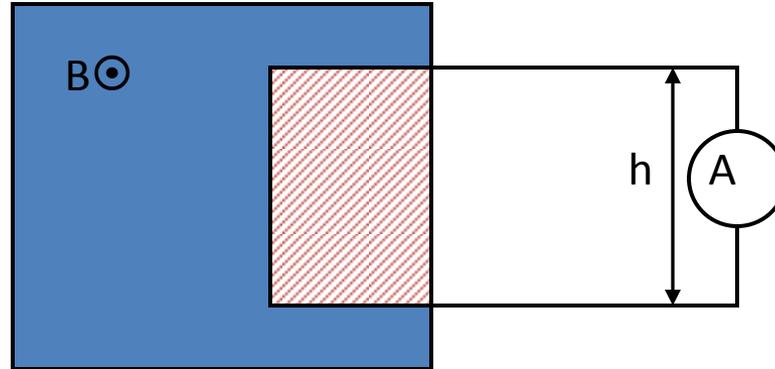
D) $I_1 = -I_2$

E) $I_1 = 0, I_2 = 0$ (special case)



7.1

b



Ans: C) $I_1 = I_2$

The same result! But different physical situations are physically:

- A) the same
- B) equivalent
- C) different