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Time Dependence in Quantum Mechanics Pretest

University of Colorado

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This script cannot "error check", you have to be sure you type it in correctly! Thanks

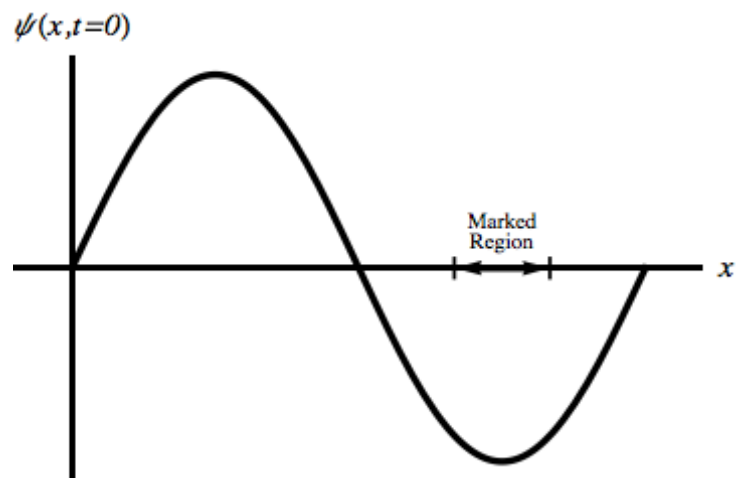
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Q1: Suppose a system consists of a particle in an infinite square well potential of width a . The wave function for the system at time $t = 0$ is shown at right. This state satisfies the eigenvalue equation

$$\hat{H}\psi = E_2\psi, \text{ where } E_2 = \frac{4\pi^2\hbar^2}{ma^2}.$$

Consider the marked region along the x -axis. Rank from greatest to least the probabilities of finding the particle within



the marked region at the following five times: $t_0 = 0$, $t_1 = \frac{\pi\hbar}{2E_2}$, $t_2 = \frac{\pi\hbar}{E_2}$, $t_3 = \frac{3\pi\hbar}{E_2}$, and $t_4 = \lim_{t \rightarrow \infty} t$. Use P_0 , P_1 , P_2 , P_3 , and P_4 as symbols for your probabilities.

Explain your ranking.

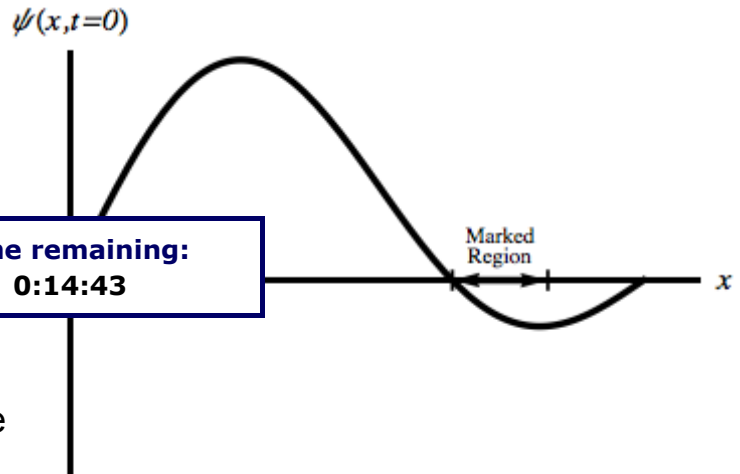
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Q2: Another system consisting of a particle in an infinite square well potential of width a is initially prepared such that its wave function at time $t = 0$ is

$$\Psi(x, t = 0) = \sqrt{\frac{1}{2}} (\psi_1(x) + \psi_2(x))$$

shown at right. ψ_1 and ψ_2 satisfy the eigenvalue equation $\hat{H}\psi_n = E_n\psi_n$. Here $E_n = \frac{n^2\pi^2\hbar^2}{2ma^2}$. Consider the marked

region along the x -axis. Rank the probabilities of finding the particle within the marked region at the following five times: $t_0 = 0$, $t_1 = \frac{2\hbar\pi}{E_2}$, $t_2 = \frac{4\hbar\pi}{E_2}$, $t_3 = \frac{6\hbar\pi}{E_2}$, and $t_4 = \frac{8\hbar\pi}{E_2}$. Use P_0 , P_1 , P_2 , P_3 , and P_4 as symbols for your probabilities. Explain your ranking.



Time remaining:
0:14:43

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Contact the 123 tutorial pretest coordinator at uwttl123@u.washington.edu

