

## Sound and stringed instruments



**Class 26:**  
Sound and strings  
Music...

**Reminders/Updates:**  
MT Long Answers due NOW up front.  
HW due Mon  
Next week: Quantum production of light

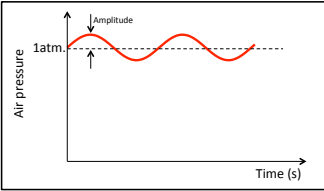
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### Reading quiz

- Sound energy travels through air as
  - A density wave
  - An electromagnetic wave
  - A water wave
  - A heat wave
- The frequency of a wave is
  - ....

### Sound so far

- Sound is a pressure or density wave carried by air molecules
- Sound wave is a very small fluctuation on the background pressure of 1atm or 100,000Pa
- Musical note: Regularly spaced series of high and low pressure regions.
- Volume of the note is determined by the **AMPLITUDE** of the pressure wave
- Pitch of the note is determined by the **FREQUENCY** of the pressure wave



### Thinking about waves:

<b>Frequency (f)</b>	<b># of oscillations/sec</b>	<b>(Hz = 1/s)</b>
<b>Wavelength (λ)</b>	<b>Distance of one complete cycle</b>	<b>(m)</b> <small>(e.g. distance between pressure maximums)</small>
<b>Period (T)</b>	<b>Time for one complete oscillation</b>	<b>(s)</b>
<b>Speed (v)</b>	<b>Distance traveled per second</b>	<b>(m/s)</b>

**Relationships among these variables:**

$v = \lambda \times f$

Distance per second = distance per oscillation × # of oscillations per second

$f = 1/T$

# oscillations per second = 1/time for one oscillation

$v = \lambda / T$


### Sound and stringed instruments

- How does a violin (or other stringed instrument) produce sound?
- How do we get different notes from a violin?
- Why is the sound of each instrument unique?

A musical note is a periodic variation of the air pressure

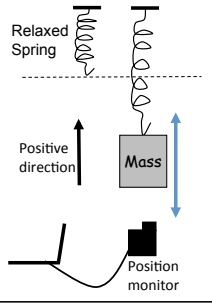
To create musical notes, all musical instruments have something that oscillates back and forth in periodic fashion.

Consider the violin. Each piece of string is like a little mass hooked to spring.

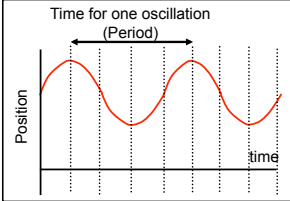


### First lets think about springs a little bit

Start a mass bouncing on a spring:



Time for one oscillation (Period)



If the spring is stiffer, then ...

- the time per oscillation will increase
- the time per oscillation will decrease
- the time per oscillation unchanged

**First lets think about springs a little bit**

Start a mass bouncing on a spring:

Time for one oscillation (Period)

If the mass is heavier, then ...

- time per oscillation will increase
- time per oscillation will decrease
- time per oscillation unchanged

**Now lets think about energy:**

Start a mass bouncing on a spring:

Time of one oscillation (Period)

Given a mass, at what point (time) is the kinetic energy greatest?

Where does energy go at times A and C?

**How a violin makes sound**

- Strings oscillate up and down at certain frequency
- Make wooden body oscillate in and out,
- Body pushes air to make sound waves

Note: we have 2 types of 'waves' going on:

- Oscillatory (wave) motion of the string
- Sound wave (pressure wave in the air) coming out from violin

Both waves have same frequency but different wavelengths and speeds

**How do we get notes of different pitch from a violin?**

Get the strings to vibrate at different frequencies  
 ⇒ Must control the vibrations or 'wave motion' of the strings

Remember, for ANY wave:  $v = f \times \lambda$

$f = v / \lambda$

Frequency (pitch) of violin note      Speed of wave (on string)      Wavelength of string motion

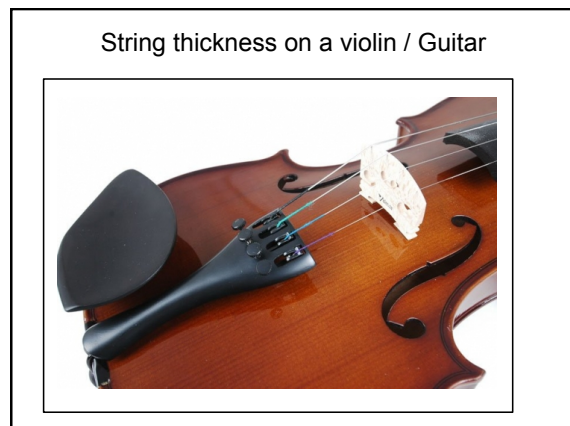
To change the pitch (frequency) of a note we can

- Change  $v$  - the speed of waves on the string
  - change thickness or tension of the string
- Change  $\lambda$  - the wavelength
  - change the length of the string

**Changing pitch by speed of waves on a string**

$$v_{\text{string}} \sim \frac{F_T}{m_L} \quad f = \frac{v_{\text{string}}}{\lambda}$$

- How do violinists tune their strings?
  - Adjust the tension ( $F_T$ )
  - Mass on spring tells us:
    - Increasing  $F_T$  like increasing the stiffness of the spring (same mass)
    - Bigger spring force ⇒ accelerates and oscillates more quickly
- Why does the G string produce a lower note than the E string?
  - G string is thick ⇒ large mass per length ( $m_L$ )
  - E string is thin ⇒ small mass per length
  - Mass on spring expts:
    - Thicker string like bigger mass (same spring)
    - More mass ⇒ accelerates and oscillates more slowly



### Standing Waves

**Paused**

Manual  
 Oscillate  
 Pulse

Fixed End  
 Loose End  
 No End

### Wavelength of waves on a string

If we could only control the frequency of a violin string with thickness and tension, the violin would have 4 notes.....

But,  $f = \frac{v_{\text{string}}}{\lambda}$  so we can also change the frequency by changing the wavelength

Simplest or fundamental oscillation of a violin string

How much of a wavelength does this fundamental motion demonstrate?

- 1 wavelength
- 2 wavelengths
- 1/4 wavelength
- 1/2 wavelength

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$L = \frac{1}{2} \lambda \Rightarrow \lambda = 2L$   
 $\Rightarrow f_1 = \frac{v_{\text{string}}}{\lambda_1} = \frac{v_{\text{string}}}{2L}$

- Fundamental wavelength and hence frequency directly related to length of string
- Can change fundamental frequency by shortening the string with fingers
- Fundamental frequency of string determines that pitch that we hear

$$f_1 = \frac{v_{\text{string}}}{\lambda_1} = \frac{v_{\text{string}}}{2L}$$

Longer string  
Longer wavelength,  
lower frequency

Shorter string  
Shorter wavelength  
Higher frequency

### Standing Waves

**Paused**

Manual  
 Oscillate  
 Pulse

Fixed End  
 Loose End  
 No End

**Restart**

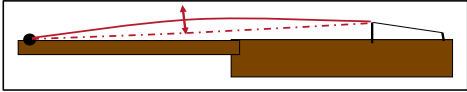
**What makes each instrument sound unique?**

Now lets compare a concert A played by the tuning fork and the violin on the ocilloscope.  
Why does the trace from the violin look so different?

- Violin is not playing a concert A but a single note of a different pitch
- You are seeing the effect of all the strings on the violin vibrating
- The A string is vibrating at multiple frequencies
- The string produces a single note (A) but the wood is vibrating at multiple frequencies
- None of the above

**Harmonics**

- String is tied down at each end.
- It oscillates back and forth.
- The simplest way for the string to flex is like this:



Fundamental frequency, 1<sup>st</sup> harmonic.  
 $f_1 = v_{string}/2L$

But it can also flex in more complicated ways and we call these higher harmonics

2<sup>nd</sup> harmonic:  
half the wavelength, twice the frequency  
 $f_2 = 2f_1 = v_{string}/L$

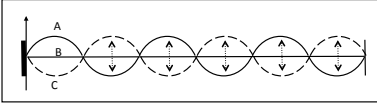
3<sup>rd</sup> harmonic:  
third the wavelength, three times the frequency,  
 $f_3 = 3f_1 = 3v_{string}/2L$

It is the mixture of harmonics that each instrument produces along with the fundamental that gives it its unique sound

**More questions on harmonics**

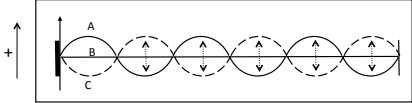
A string is clamped at both ends and then plucked so that it vibrates in the mode shown below, between two extreme positions A and C. Which harmonic mode is this?

- fundamental,
- second harmonic,
- third harmonic,
- 6<sup>th</sup> harmonic



A, B and C are snapshots of the string at different times.

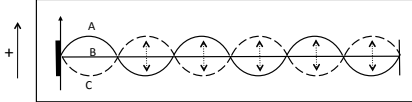
**More questions on harmonics**



When the string is in position B (instantaneously flat) the velocity of points along the string is... (take upwards direction as positive)

- zero everywhere.
- positive everywhere.
- negative everywhere.
- depends on the position.

**More questions on harmonics**



When the string is in position C (one of the 2 extreme positions) the velocity of points along the string is...

- zero everywhere.
- positive everywhere.
- negative everywhere.
- depends on the position.

**More violin questions**

When you pluck the string, what is making the sound you hear?

- string,
- the wood,
- both about the same,
- the bridge

What will happen if we touch tuning fork to the bridge?

- no effect,
- sound will be muffled (quieter),
- sound will be louder,
- sound will change frequency/tone