

Spring 2014

PHYS-2010

Lecture 3

Am I moving?

- A) Yes, definitely
- B) Maybe
- C) It depends what you mean by “moving”
- D) No, definitely not

Announcements

- **CAPA** Homework #1 due next Tuesday at 11 pm.
- Textbook Reading – **Chapter 2** in Giancoli (1D Kinematics).
- Print **Recitation Assignment # 2** for your Section next week:
http://www.colorado.edu/physics/phys2010/phys2010_sp14/LabIndex.html
- **No Lecture** next Monday – MLK Day.
- I will be away next week.
- Lectures on Wed. (Jan. 22) and Fri. (Jan. 24) will be given by **Prof. Pollock**.
- I will not have **office hours** next Tuesday.



Remember the Metric Prefixes

giga	G	10^9
mega	M	10^6
kilo	k	10^3
hecto	h	10^2
deka	da	10^1
deci	d	10^{-1}
centi	c	10^{-2}
milli	m	10^{-3}
micro [†]	μ	10^{-6}
nano	n	10^{-9}

1,000,000,000 = Giga

1,000,000 = Mega

1000 = kilo

0.01 = 1/100 = centi

0.001 = 1/1000 = milli

0.000000001 =

1/1,000,000,000 = nano

Not really nano,
but just smaller



Remember the Algebra of Exponents

$$a^m \times a^n = a^{m+n}$$

$$100,000 = 10^5 = 10^{3+2} = 10^2 10^3$$

$$\frac{1}{a^m} = a^{-m}$$

$$\frac{1}{1000} = \frac{1}{10^3} = 10^{-3} = 0.001$$

$$\frac{a^m}{a^n} = a^{m-n}$$

$$\frac{100}{1000} = \frac{10^2}{10^3} = 10^{2-3} = 10^{-1} = 0.1$$

$$(a^m)^n = a^{m \times n}$$

$$(10^3)^2 = 10^{2 \times 3} = 10^6 = 1,000,000$$

1 meter = 100 centimeters (1 m=100 cm).
How many cm^2 in 1 m^2 ?

A) 10

B) 1000

C) 2000

D) 10^5

E) None of the above

$$1 \text{ m} = 100 \text{ cm}$$

$$1 \text{ m}^2 = (1 \text{ m})^2$$

We must square both sides

$$(1 \text{ m})^2 = (100 \text{ cm})^2 = 100^2 \text{ cm}^2$$

$$1 \text{ m}^2 = 10^4 \text{ cm}^2$$

KINEMATICS

(Ch. 2 in Giancoli)

Teach you I will !



1/17/2014

Objects in Motion

Kinematics – study of motion irrespective of considering what caused the motion

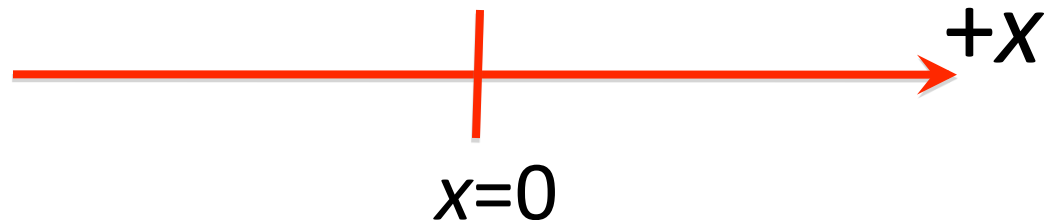
Dynamics – study of what causes the motion (i.e. forces)

Any description of motion (position, distance, or speed) requires specifying a “**Reference Frame**”.

Start with one-dimensional motion...

Need to specify:

- origin ($x=0$)
- positive direction



Objects in Motion

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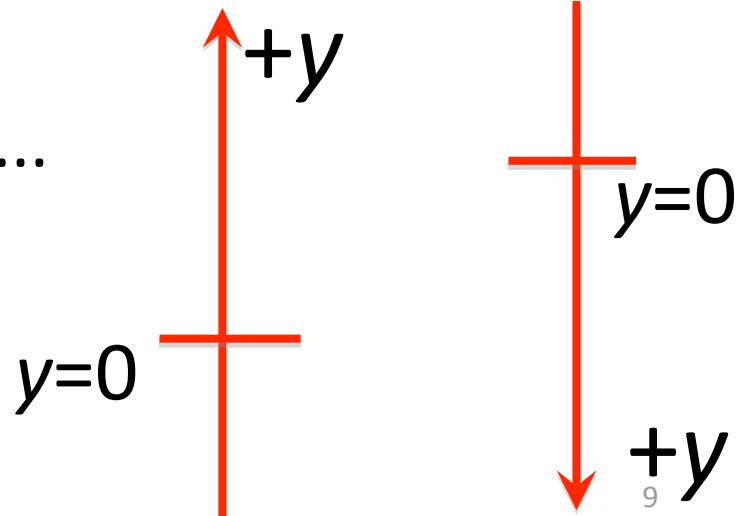
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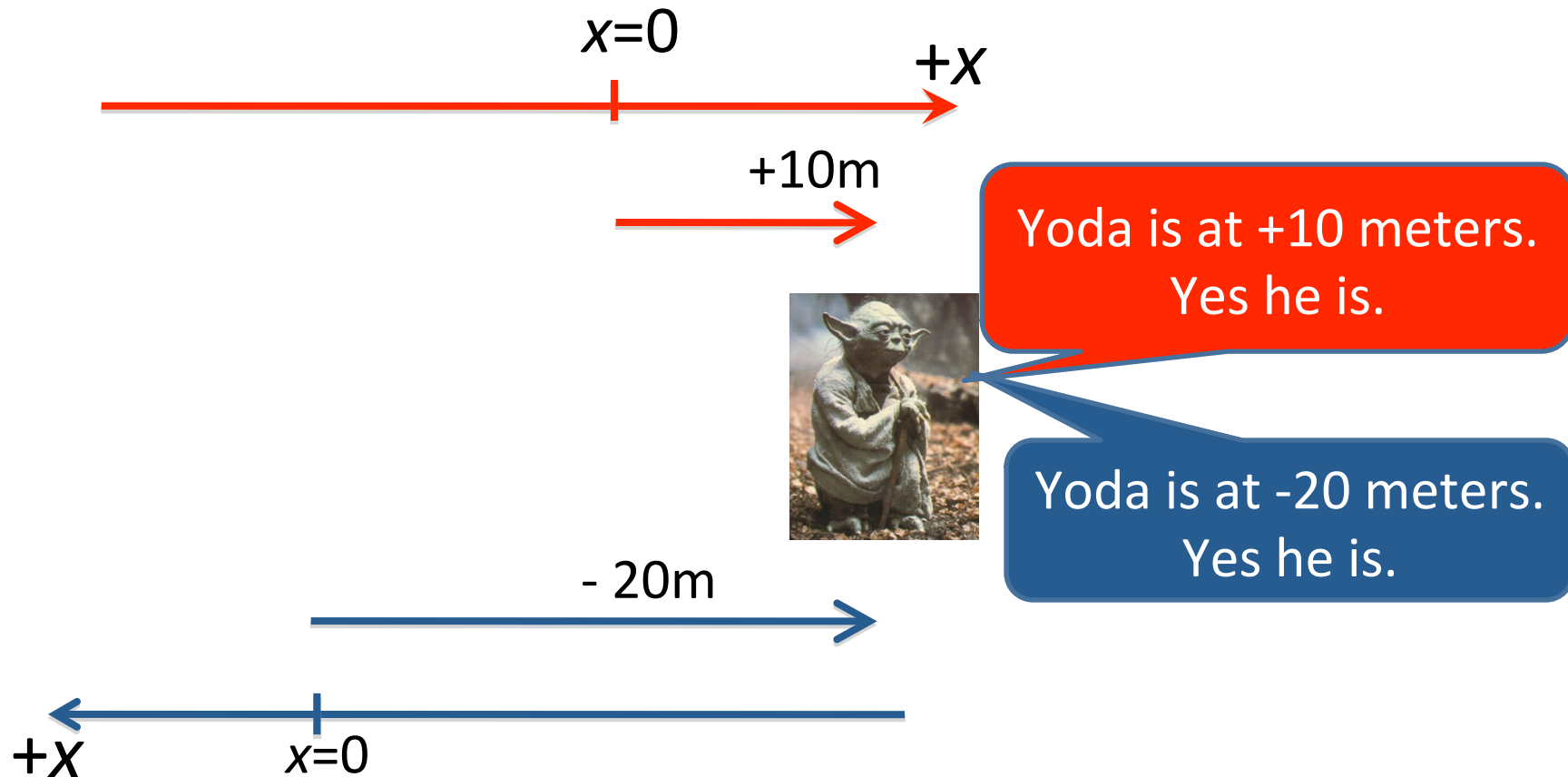
Start with one-dimensional motion...

Need to specify:

- origin ($y=0$)
- positive direction

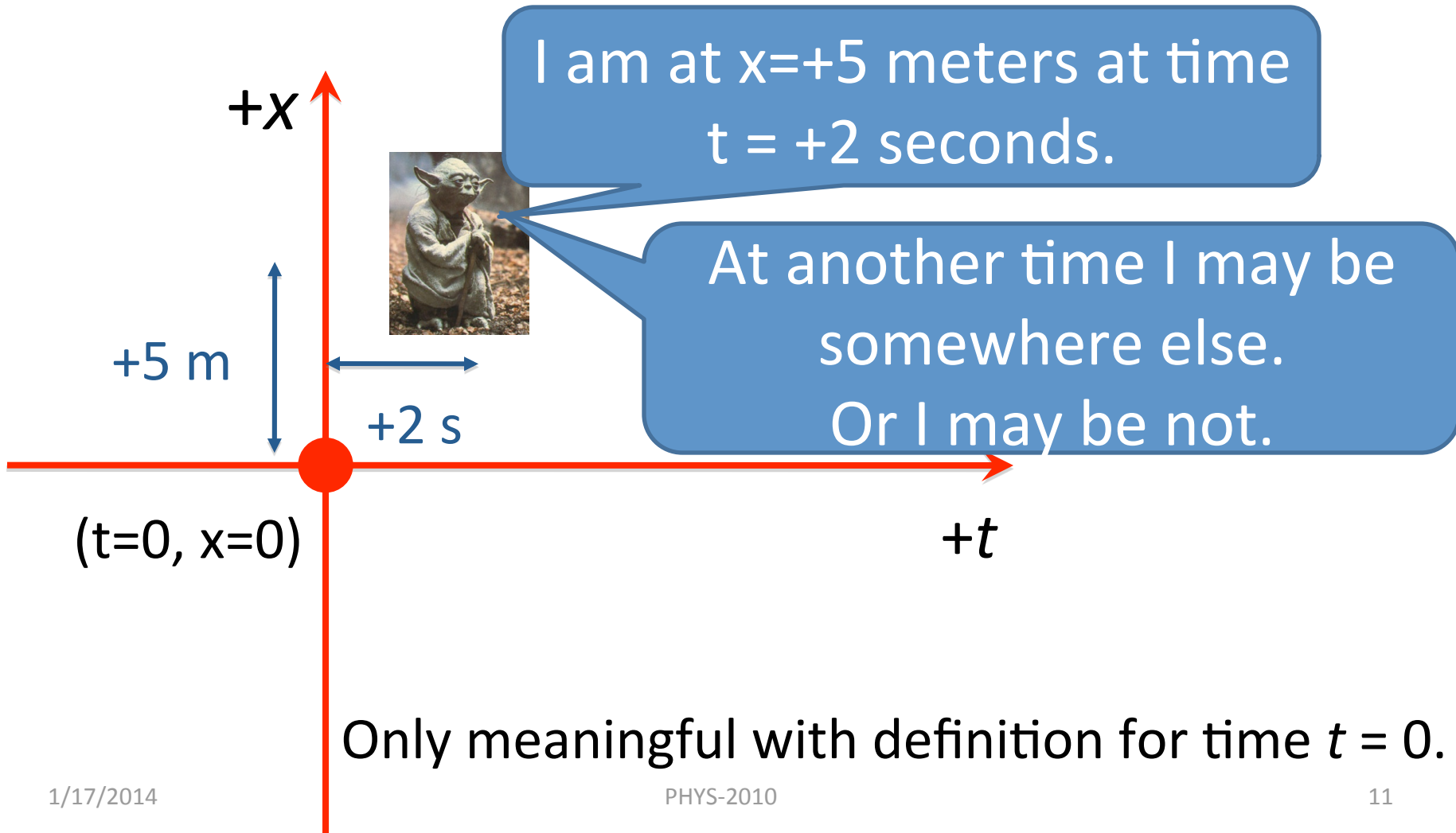


Position depends on the **Reference Frame**:



Different answers in different Reference Frames.
Giving position without specifying the Reference Frame
is meaningless.

Even in one spatial dimension (e.g. x coordinate), we also need to specify the **Reference Frame** for the time dimension.

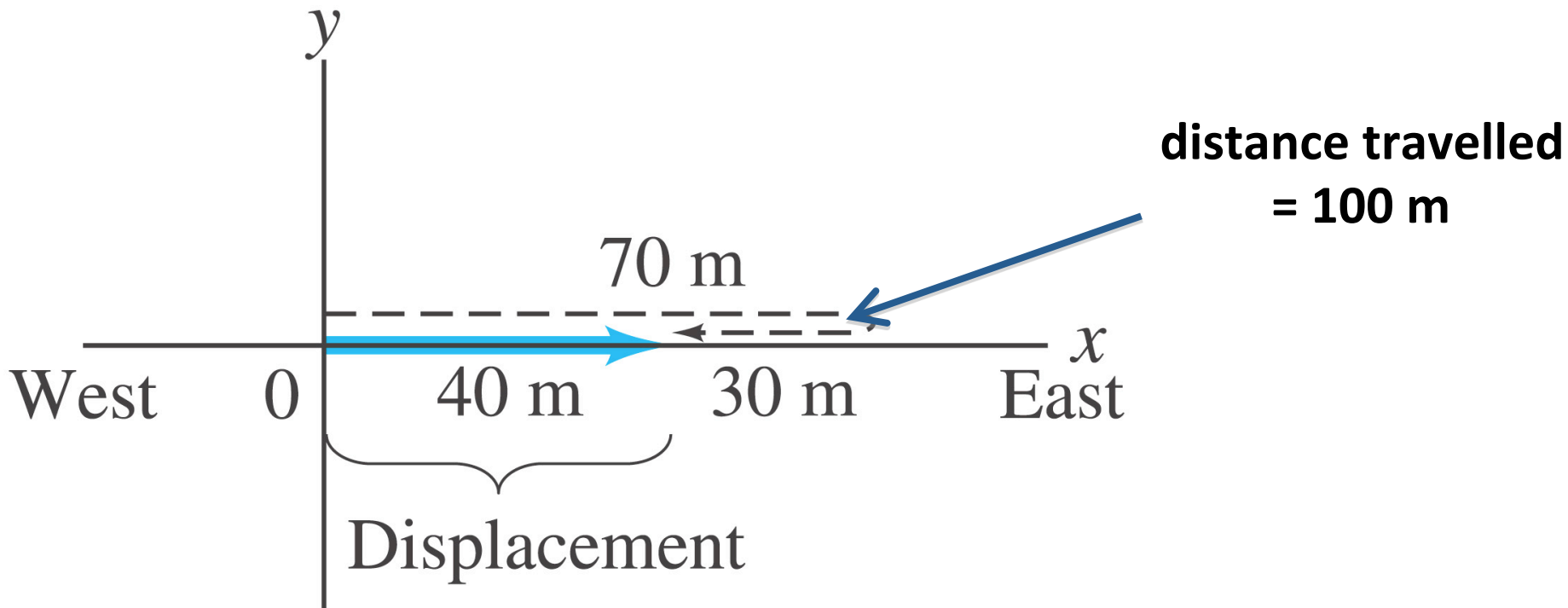


Only meaningful with definition for time $t = 0$.

Displacement and Distance Travelled

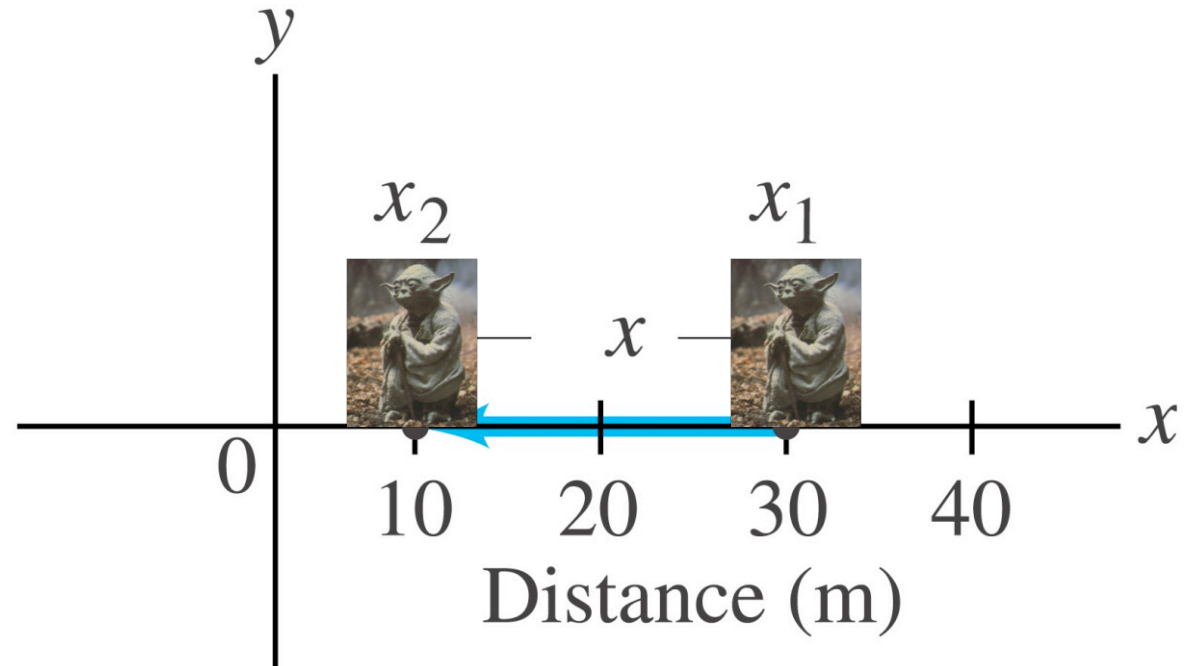
Displacement is the difference in positions between the ending point and the starting point (can be positive or negative): $\Delta x = x_2 - x_1$

Distance Traveled – distance measured along the actual path taken (always positive).



What is the **displacement** of the walking Yoda?

- A) +10 m
- B) +30 m
- C) +20 m
- D) -20 m**
- E) -10 m



$$\Delta x = x_2 - x_1 = 10 \text{ m} - 30 \text{ m} = -20 \text{ m}$$

Note: **displacement** can be positive or negative, but **distance traveled** is always positive.

Speed and Velocity

Speed = how far an object travels divided by the elapsed time of travel.

\bar{S}	average speed = $\frac{\text{distance traveled}}{\text{time elapsed}}$	$\begin{matrix} + \\ - \\ + \end{matrix} \geq 0$
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Velocity includes directional information:

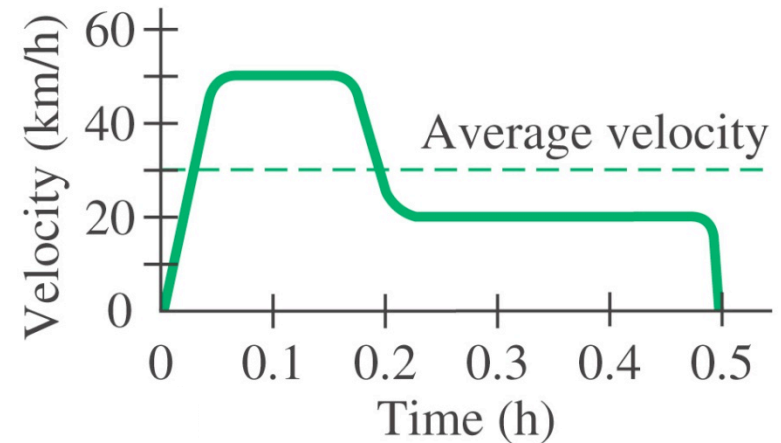
\bar{V}	average velocity = $\frac{\text{displacement}}{\text{time elapsed}}$	$\begin{matrix} \Delta x \\ \Delta t \end{matrix} \begin{matrix} > \\ = \\ < \end{matrix} 0$
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Velocity includes speed and direction

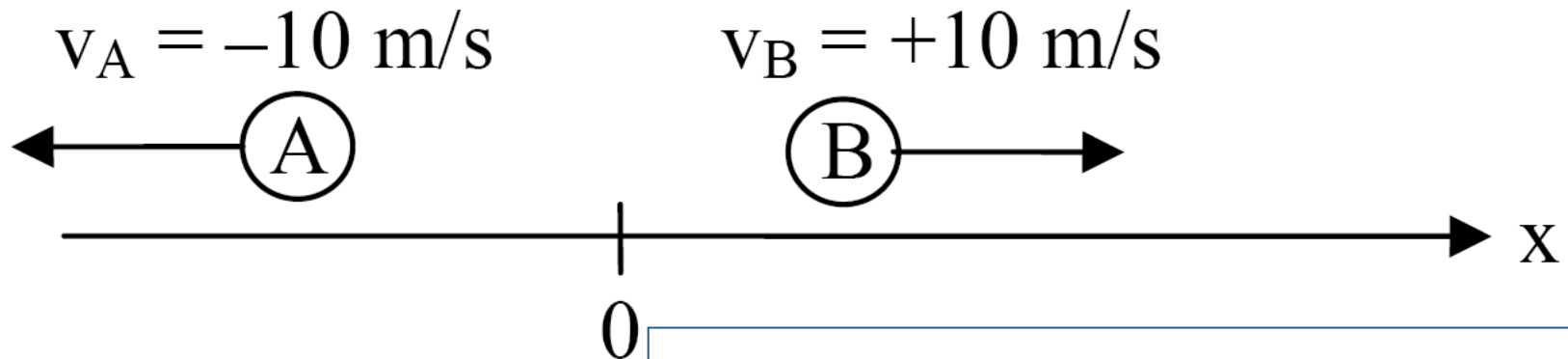
Instantaneous and Average Velocity

The **instantaneous velocity** is the average velocity, in the limit as the time interval becomes infinitesimally short.

$$v = \lim_{\Delta t \rightarrow 0} \frac{\Delta x}{\Delta t}$$

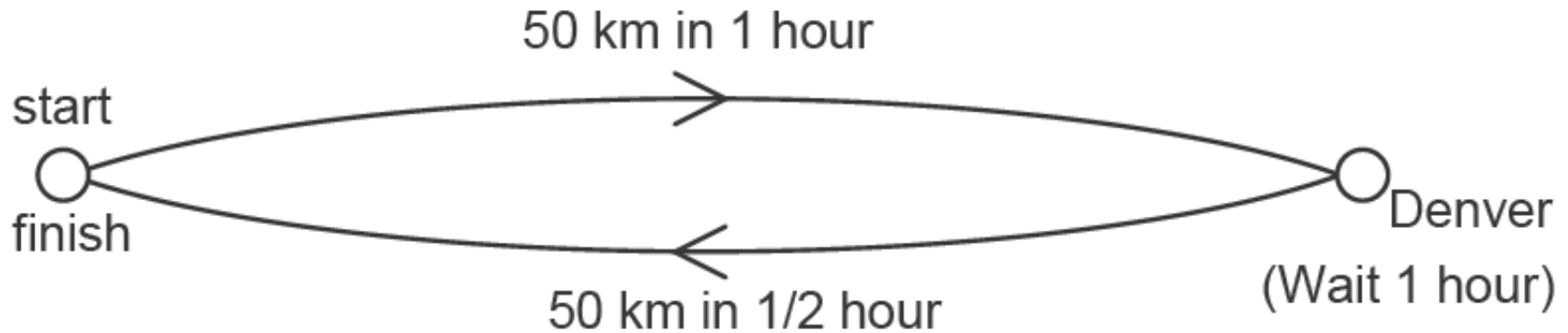


Objects can have a positive or negative average or instantaneous velocity:



But, speed $s = |v|$ $s_A = s_B$

A student starts in Boulder, drives to Denver 50 km away in 1 hr, stays in Denver for 1 hr, then speeds back to Boulder in 30 minutes.



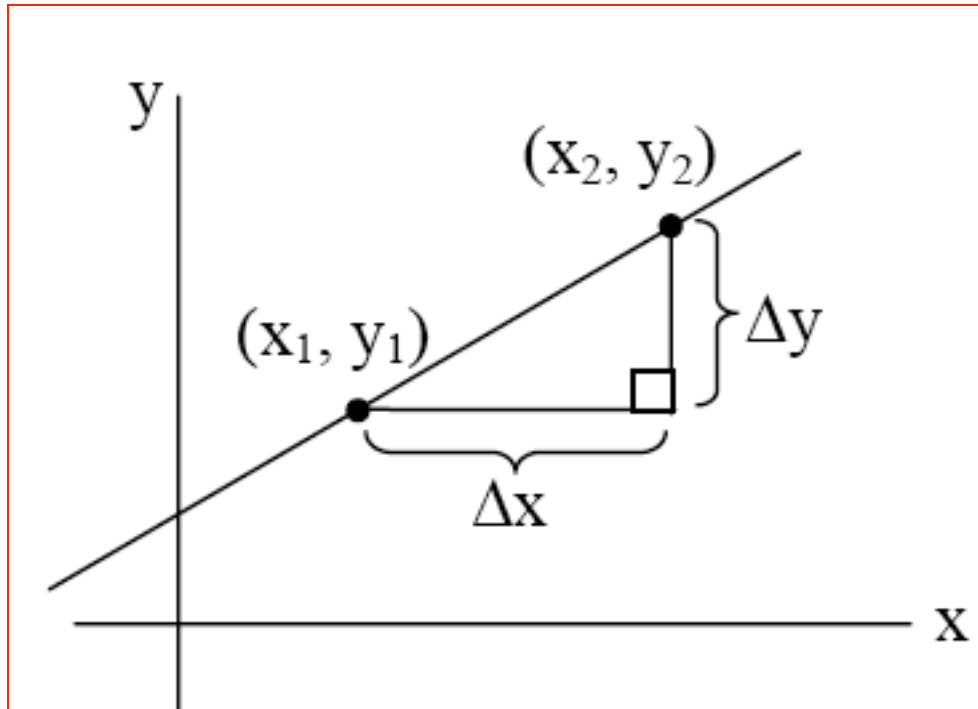
What is the average **speed** of this round trip?

- A) Zero
- B) -67 km/hr
- C) +40 km/hr**
- D) 67 km/hr
- E) None of these.

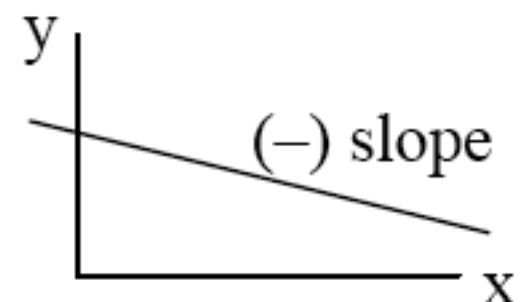
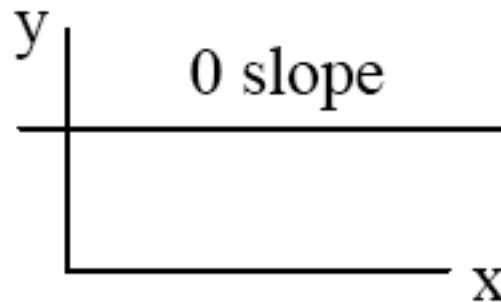
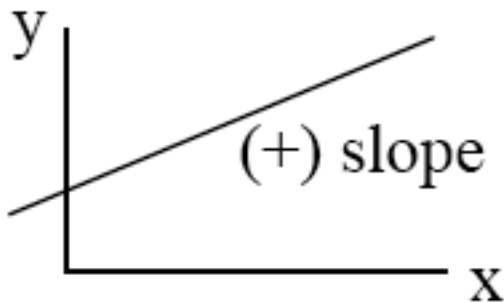
$$\begin{aligned}
 \text{Average speed} &= \text{distance traveled} / \text{elapsed time} \\
 &= 100 \text{ km} / 2.5 \text{ hr} \\
 &= 40 \text{ km} / \text{hr}
 \end{aligned}$$

What about average velocity?

Quick Graph Review

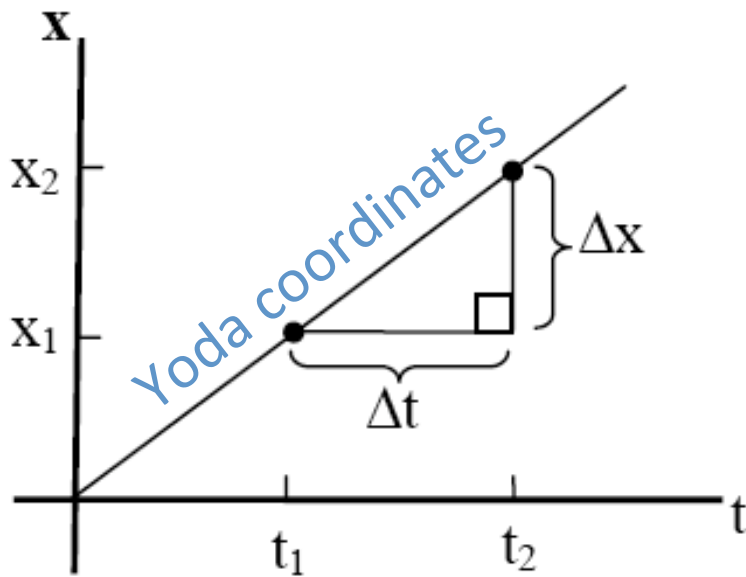
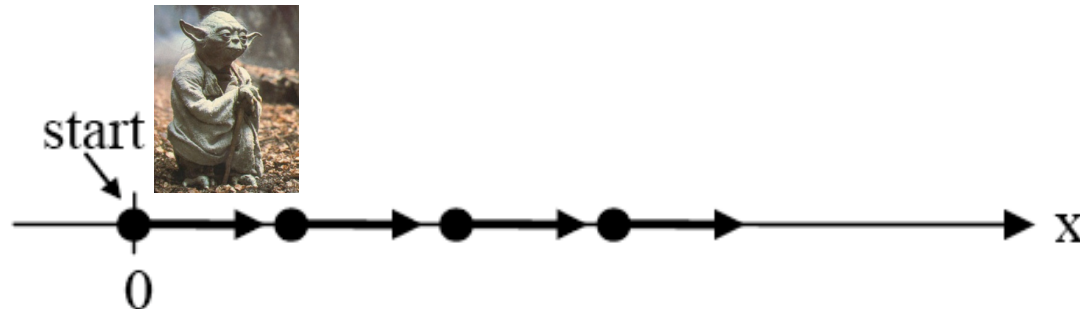


$$\begin{aligned}\text{slope} &= \frac{\text{rise}}{\text{run}} = \frac{\Delta y}{\Delta x} \\ &= \frac{y_2 - y_1}{x_2 - x_1}\end{aligned}$$



Graph of Position (x) versus Time (t)

Travel in the +x direction at a constant velocity v:

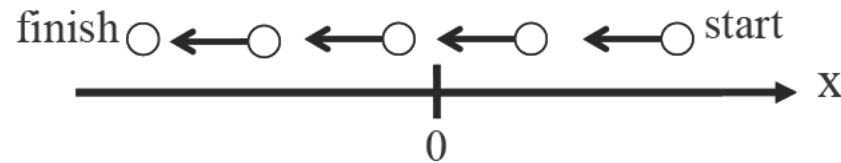


$$\text{slope} = \frac{\text{rise}}{\text{run}} = \frac{\cancel{\Delta y}}{\cancel{\Delta x}} = \frac{\Delta x}{\Delta t} = v$$

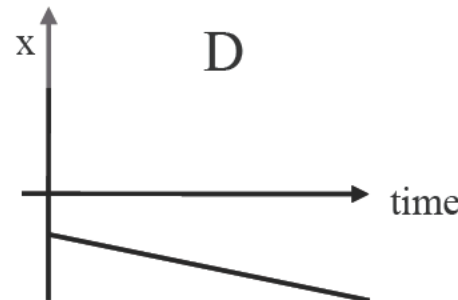
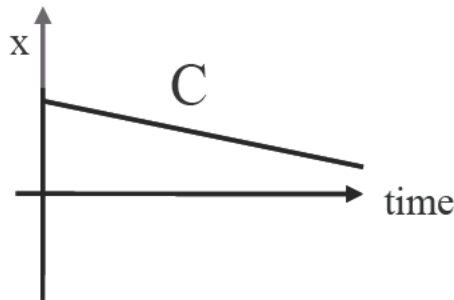
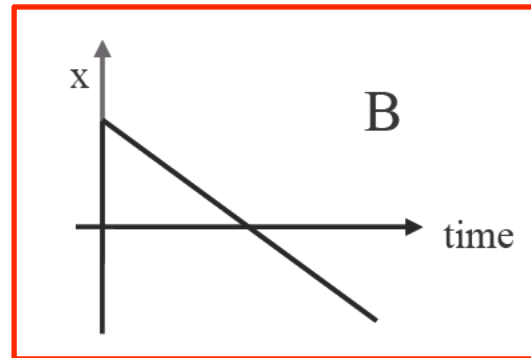
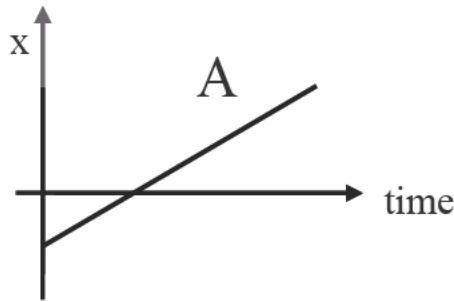
y-axis is x, x-axis is t.

If constant velocity \rightarrow straight line on graph (constant slope)

An object starts at $x = +5$ and moves left along the x -axis at a constant speed:



Which graph best represents this motion?



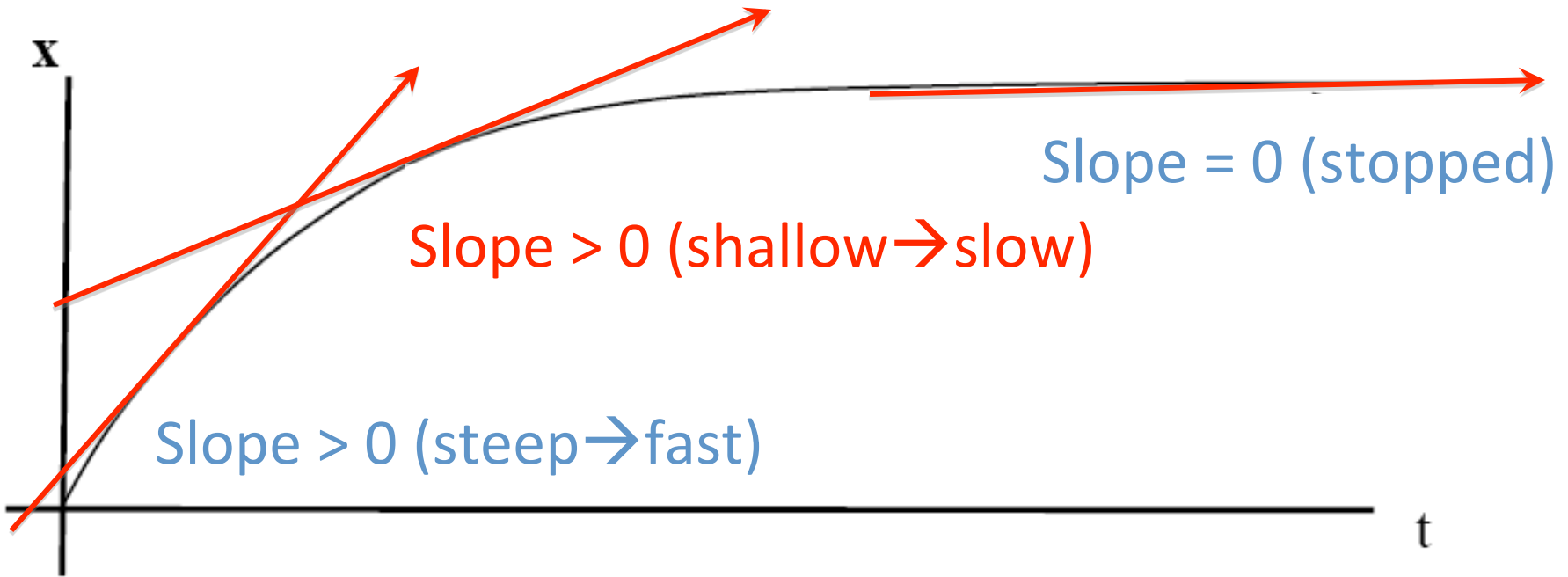
At time $t = 0$, the position $x > 0$.

Negative velocity gives negative slope.

At some time, position $x < 0$.

Graph of Position versus Time

Is Yoda moving at constant velocity?

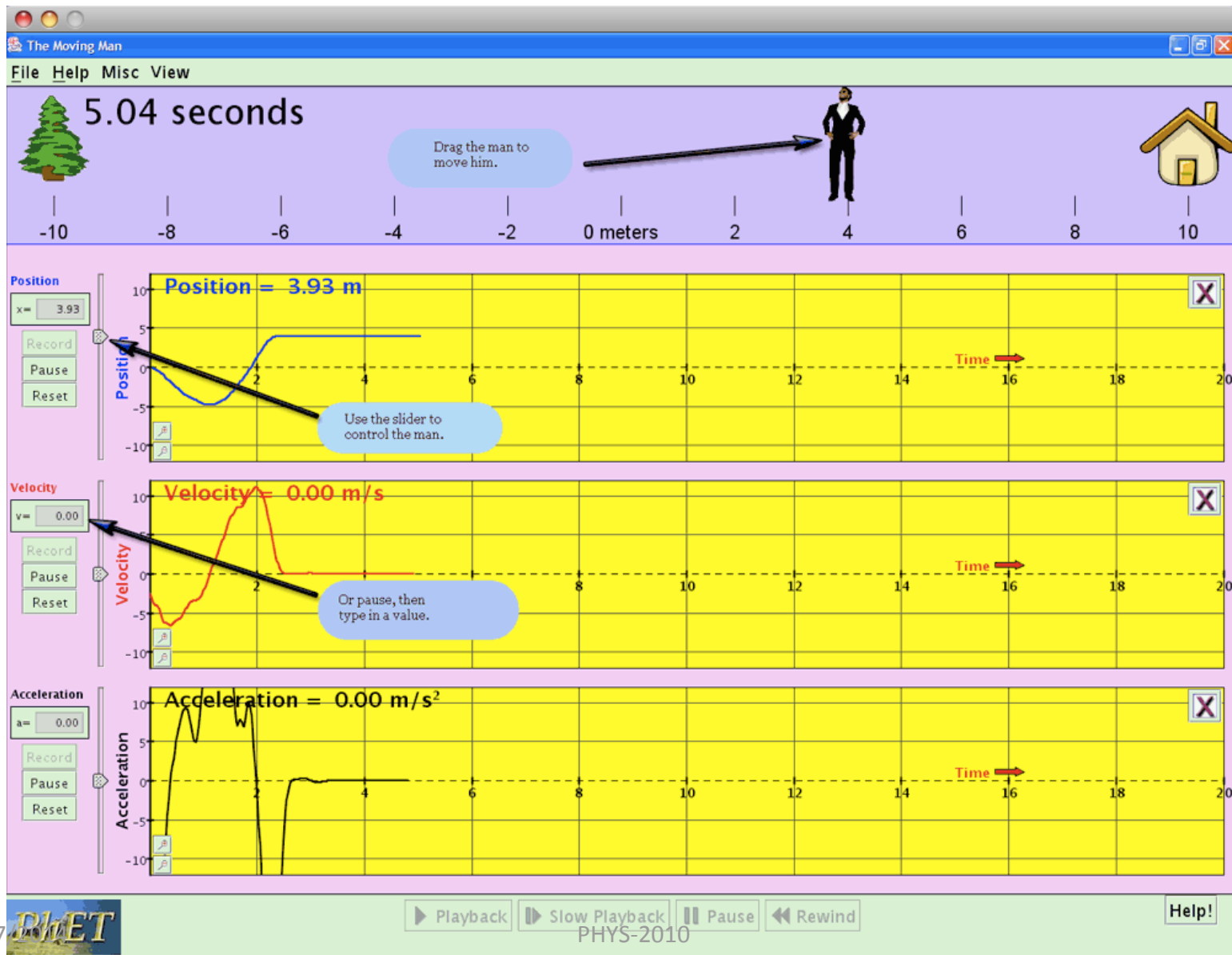


The instantaneous velocity is the slope of the line tangent to the x vs t curve at the point.

$$v = \lim_{\Delta t \rightarrow 0} \frac{\Delta x}{\Delta t}$$

“Moving Man” PhET Applet:

http://phet.colorado.edu/simulations/sims.php?sim=The_Moving_Man



REMINDERS:

- Complete your 1st CAPA assignment and upload the solutions on-line by 11 pm next Tuesday.
- Finish reading Chs. 1 & 2 by next class (Wed).
- To prepare for next week's Recitation, print out Recitation Assignment # 2 and bring it to your Recitation section.
- No lecture next Monday
- Next week's Wed, Fri lectures by Prof. Pollock