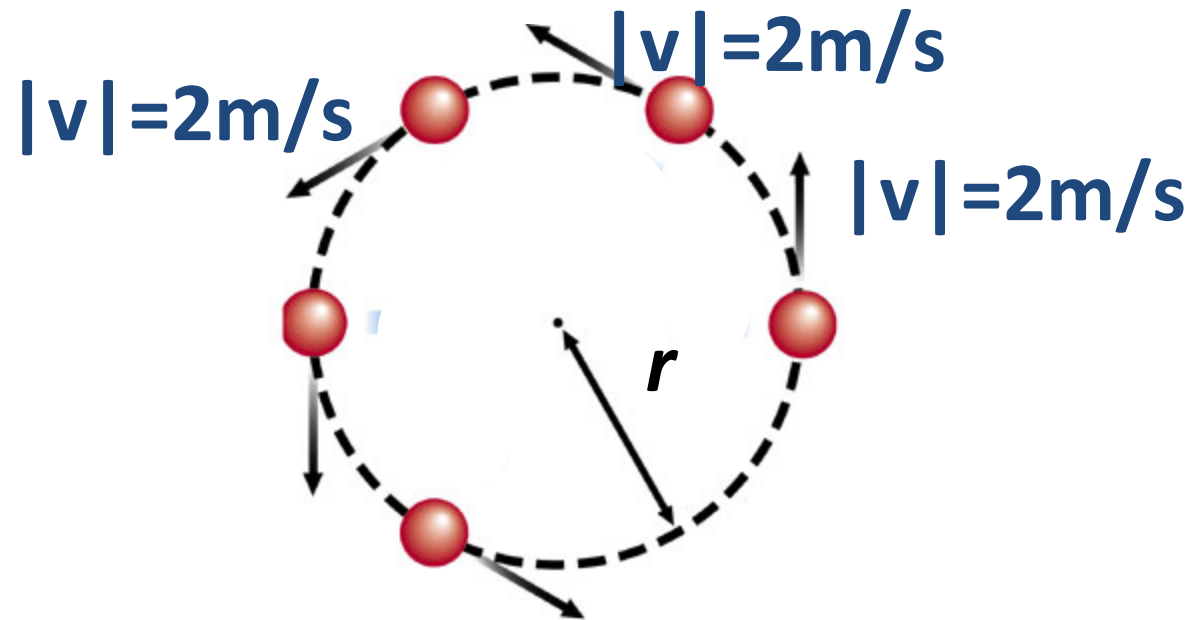


Is the object accelerating?

A) Yes

B) No

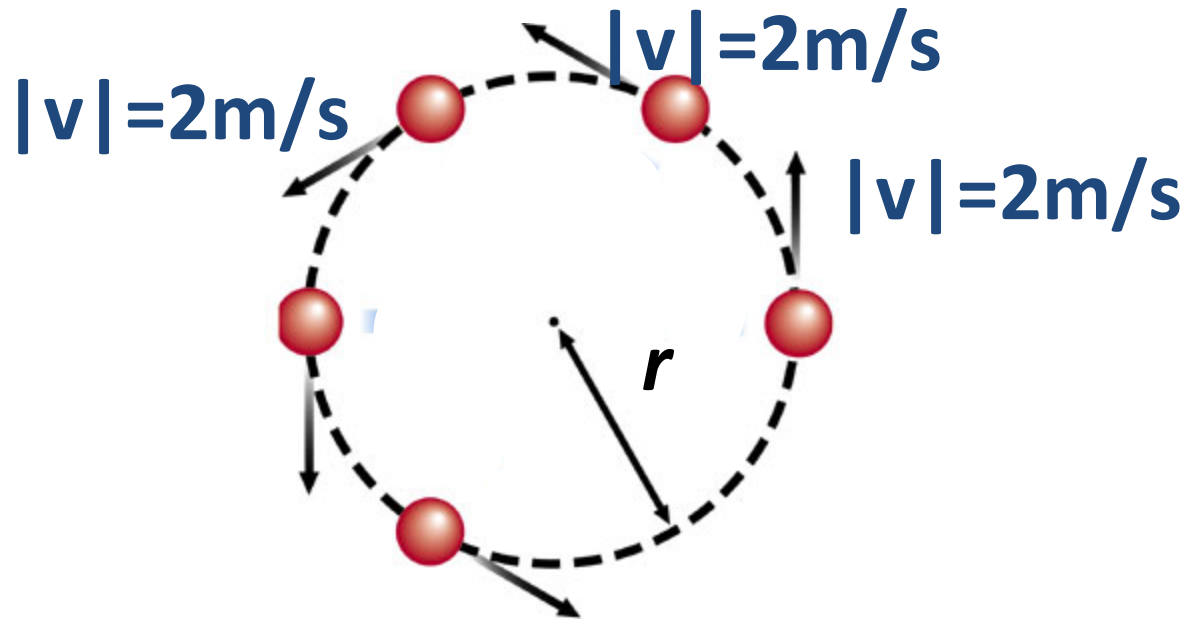


Is the object accelerating?

A) Yes

B) No

Is the object accelerating?



The speed $|\mathbf{v}|$ is not changing, but the velocity vector **direction** is constantly changing!

Recall definition of acceleration:

$$\text{acceleration} = \vec{a} = \frac{\Delta \vec{v}}{\Delta t} = \frac{\vec{v}_2 - \vec{v}_1}{t_2 - t_1}$$

Spring 2014

PHYS-2010

Lecture 20

Announcements

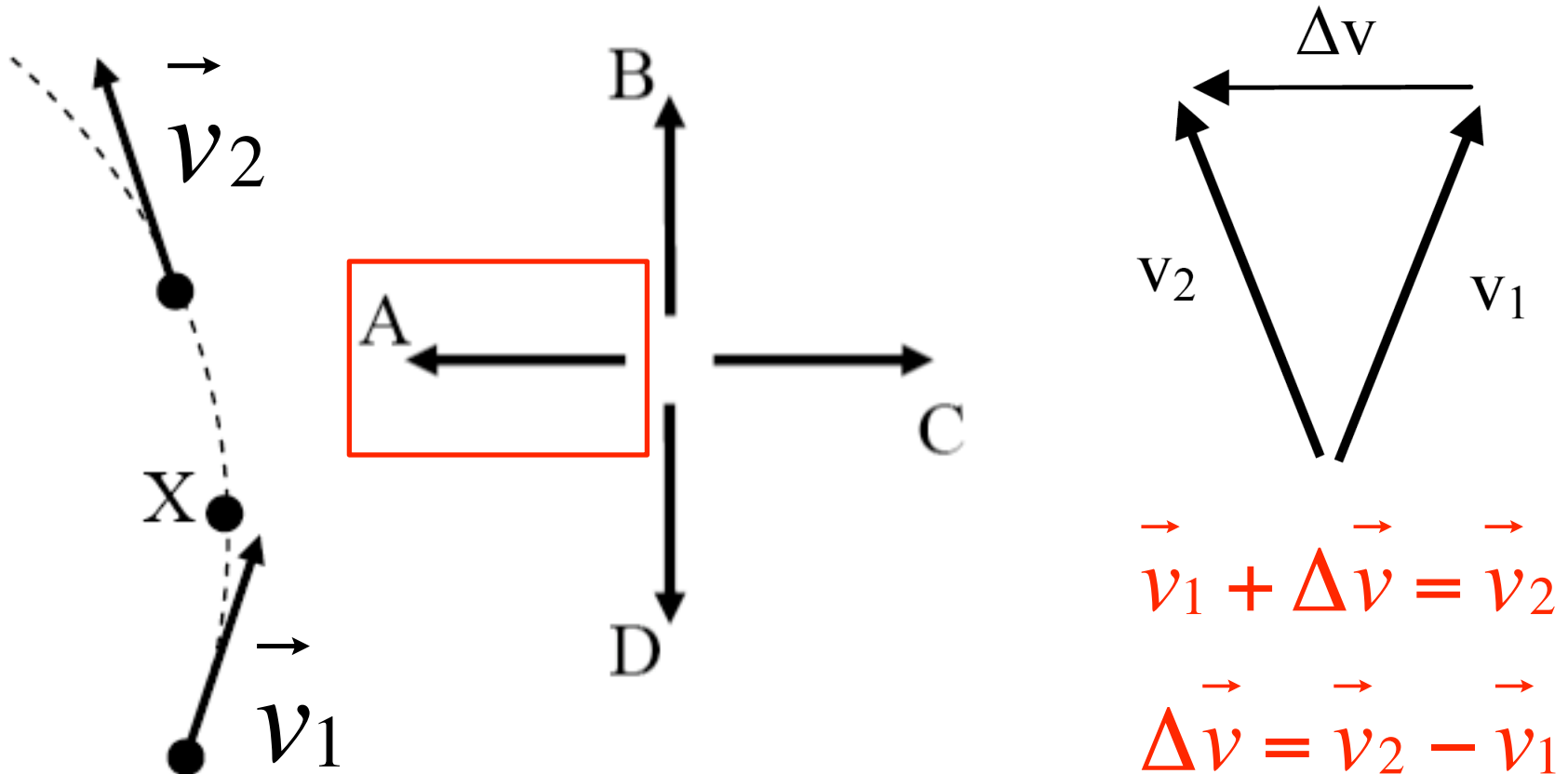
- Read Giancoli Chapter 5, start Chapter 6.
- **CAPA # 7** due next Tuesday at 11 pm.
- **No Written homework # 5** next week.
- **Midterm II** will be on Thursday, March 6, at 7:30 pm.
- **Practice exam** is posted on D2L.
- **Review session** will be held by Prof. Pollock and Rosemary Wulf on Tue. March 4, 5-6 pm, Duane G125.
- **Exam seating:**
 - if your TA is Rosemary Wulf or Andrew Hess, your exam is here, G1B30.
 - if your TA is Jake Fish or Clarissa Briner, your exam is next door, G1B20.
- More details about the exam are on the course website:

http://www.colorado.edu/physics/phys2010/phys2010_sp14/exams.html

Materials to study for Mid-Term II

- **Giancoli Ch. 3.5 – 5.3** (Vectors, Projectile Motion, Newton's laws, Pulleys, Friction, Circular Motion).
- In-class **Clicker Questions & Lecture Materials**.
- Your **CAPAs** through # 7.
- **Written Homeworks 3 - 5**.
- **Recitation Assignments and Lab**.
- **Giancoli web site**: “Practice Questions”, “MCAT Study Guide”, “Practice Problems”. Link on course web site.
- Old **practice exam** posted on D2L.
- Dr. Michael **Dubson's Chapter Notes** (link on course website).

What is the *direction* of the acceleration when particle is at point X?



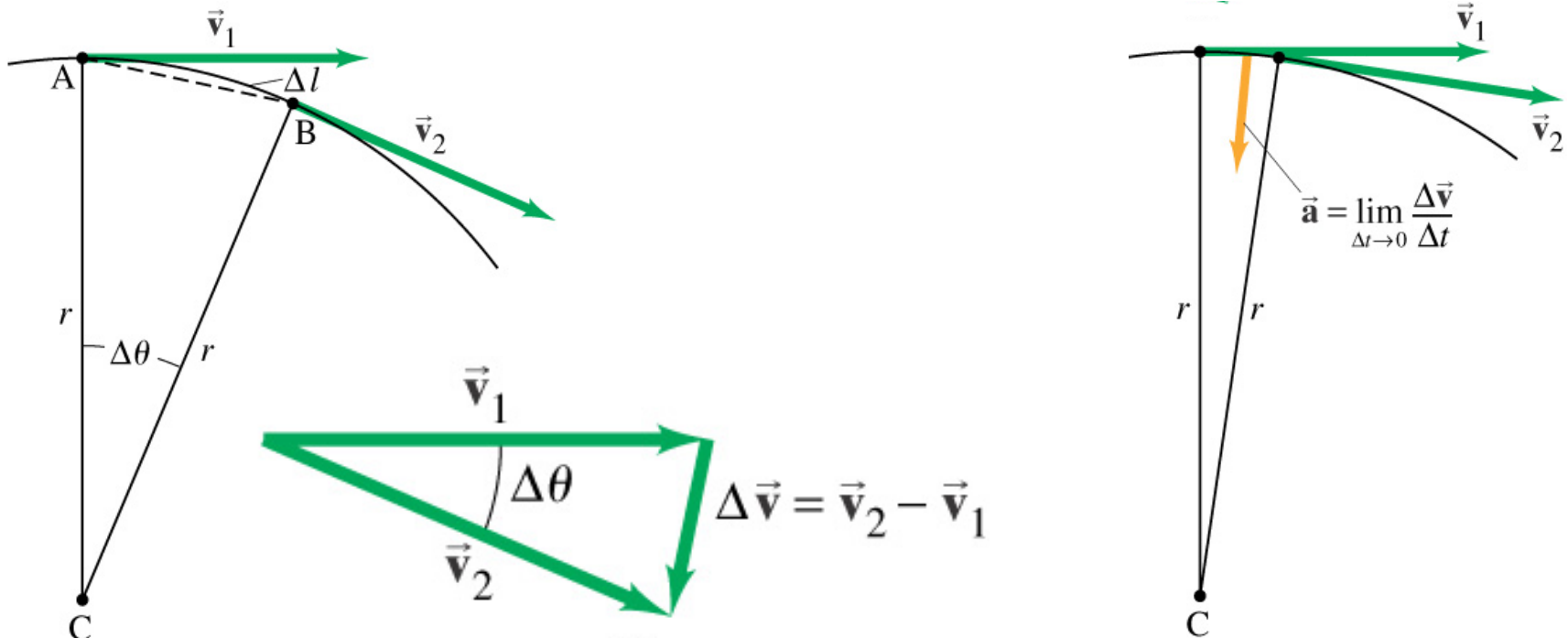
Acceleration points toward the center of the circle.

Circular Motion: Centripetal Acceleration

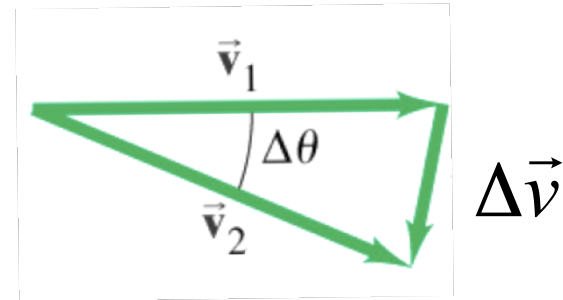
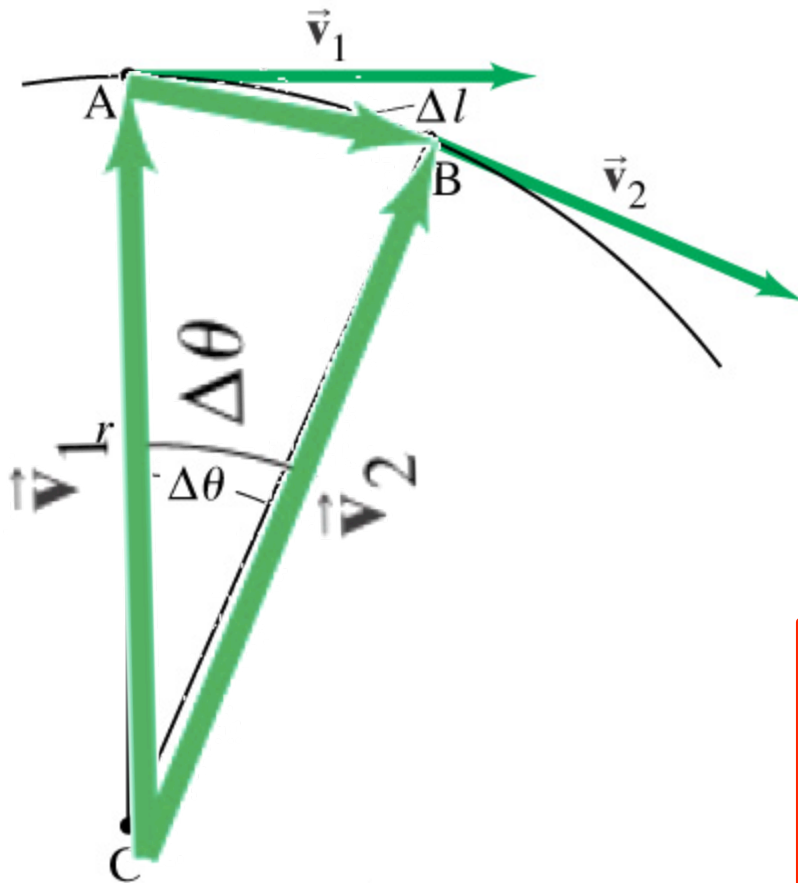
Acceleration points toward the center of the circle.

“Centripetal acceleration” → from Latin *centrum* “center” and *petere* “to seek”

Q: What is the **magnitude** of centripetal acceleration?



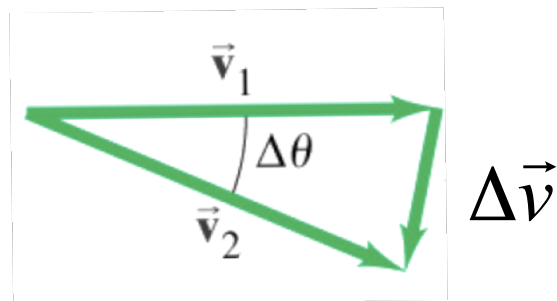
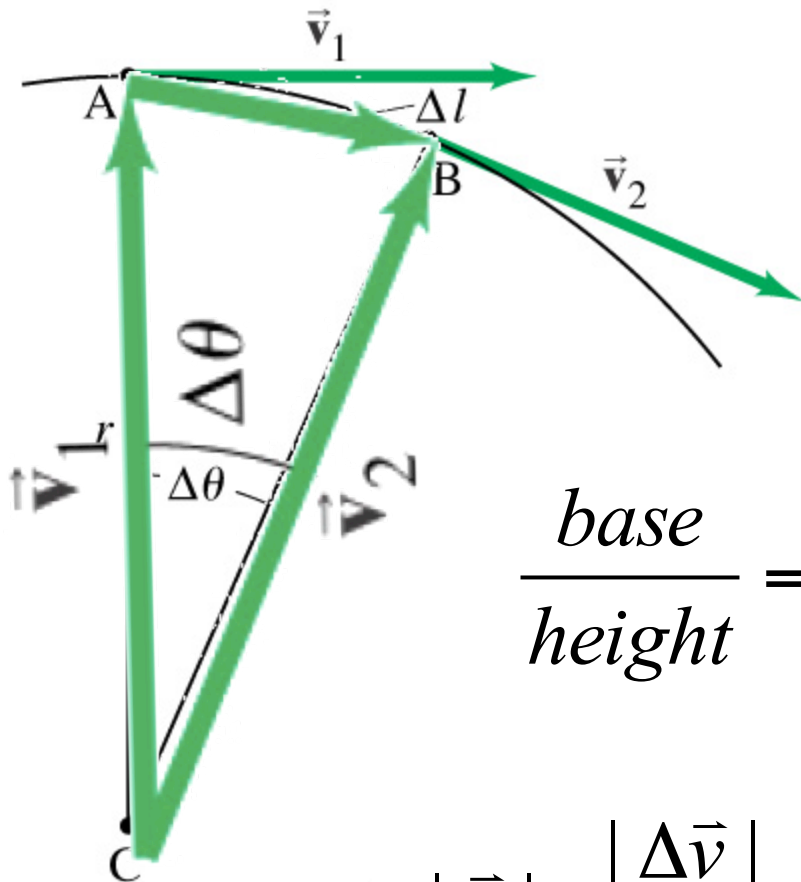
What is the *magnitude* of centripetal acceleration?



The two triangles are similar triangles!

$$|\vec{a}| = \frac{v^2}{r}$$

What is the *magnitude* of centripetal acceleration?



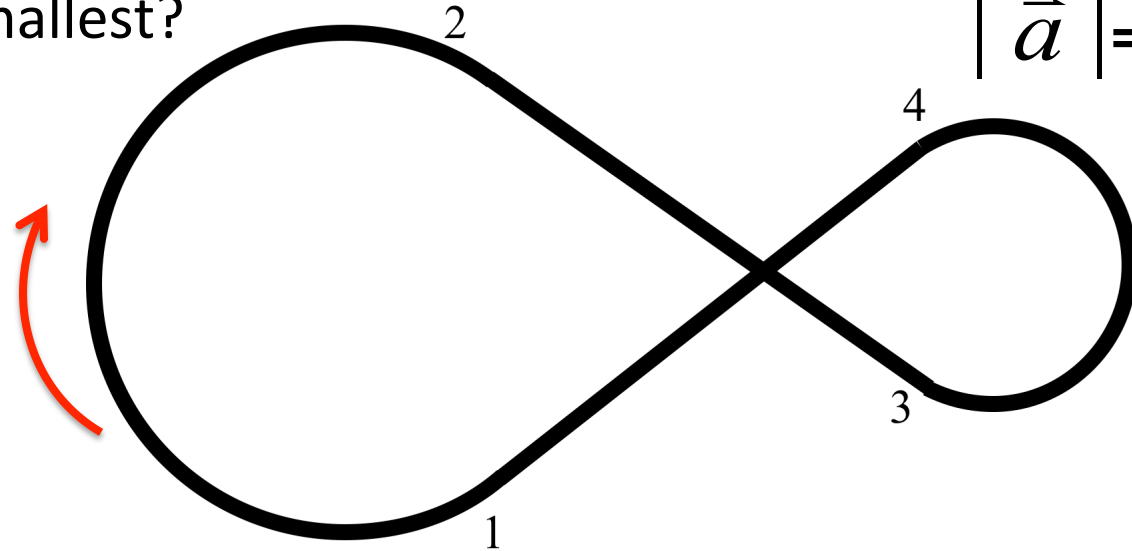
The two triangles are similar triangles!

$$\frac{\text{base}}{\text{height}} = \frac{|\Delta \vec{v}|}{|\vec{v}|} = \frac{\Delta \ell}{r} \quad \Rightarrow \quad \Delta v = \frac{v}{r} \Delta \ell$$

$$|\vec{a}| = \frac{|\Delta \vec{v}|}{\Delta t} = \frac{\frac{v}{r} \Delta \ell}{\Delta t} = \frac{v}{r} \frac{\Delta \ell}{\Delta t} = \frac{v}{r} v = \frac{v^2}{r}$$

$$|\vec{a}| = \frac{v^2}{r}$$

A race car travels around the track shown at **constant speed**.
Over which portion of the track is the magnitude of the acceleration the smallest?



$$|\vec{a}| = \frac{v^2}{r}$$

- A) From 1 to 2
- B) From 2 to 3**
- C) From 3 to 4
- D) Acceleration is the same for all 3 segments.

Answer B: from 2 to 3.

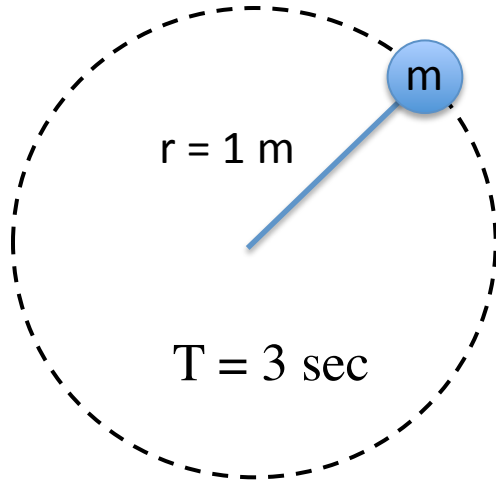
The acceleration is zero along the straight line portions of the track!

What about the two curved segments, 1-2 and 3-4 ?

Clicker Question

Room Frequency BA

A merry-go-round has a radius $r = 1$ meter.
It's pushed to have a period of $T = 3$ seconds.



$$|\vec{a}| = \frac{v^2}{r} \quad v = \frac{2\pi r}{T}$$

What is the approximate centripetal acceleration?

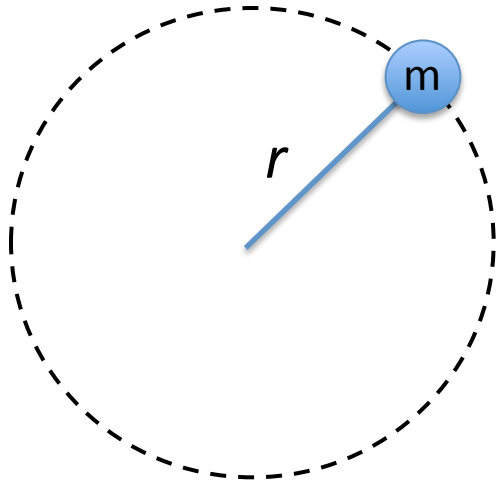
$$v = \frac{2\pi r}{T} \approx \frac{2 \times 3 \times 1 \text{ m}}{3 \text{ s}} \approx 2 \text{ m/s}$$
$$a = \frac{v^2}{r} \approx \frac{(2 \text{ m/s})^2}{1 \text{ m}} = 4 \text{ m/s}^2$$

- A) 1 m/s^2
- B) 4 m/s^2**
- C) 0 m/s^2
- D) 100 m/s^2
- E) 500 m/s^2

Clicker Question

Room Frequency BA

A merry-go-round has a radius r .
It's pushed to have a period T .



$$|\vec{a}| = \frac{v^2}{r}$$

$$v = \frac{2\pi r}{T}$$



*If the rotation is then slowed down so that the **period doubles**, the centripetal acceleration will...*

- A) increase by a factor of 2
- B) decrease by a factor of 2
- C) increase by a factor of 4
- D) decrease by a factor of 4**

$$a = \frac{v^2}{r} = \frac{(2\pi r / T)^2}{r} \sim \frac{1}{T^2}$$

Kinematics of Circular Motion



Circular Motion – fixed radius and at constant speed $|v|$

Always accelerating due to
change in direction of velocity vector.

Centripetal acceleration inwards towards the circle center
with magnitude $|a| = v^2/r$

Note: this is purely kinematic result!

“Wall-of-Death”



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But don't I feel out outward force?

Consider the “Wall-of-Death”

Which diagram correctly shows the real forces on the rider?

