

## 2.4. Einstein's postulates and interpretation

As we have seen the observations made by Lenard cannot be explained based on classical electromagnetic wave predictions.

Einstein framed a number of postulates about the nature of light and the interaction of light with matter. He suggested that electromagnetic radiation is quantized.

- (1) Light of frequency  $f$  consists of discrete energy quanta, (also called photons)

Each quantum has the energy  $E = hf$

where  $h$  is the Planck's constant

$$h = 6.63 \times 10^{-34} \text{ J s}$$

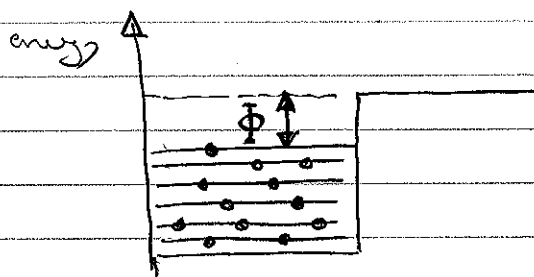
- (2) One light quantum is absorbed (interacts with)

- with one electron in metal
- entirely (not in halves or other fractions)
- and instantaneously

Let's see if and how Einstein's postulates apply to the interpretation of the photoelectric effect.

- Energy conservation  $\rightarrow$  Frequency dependence.

Let's go back to our energy diagram for electrons in metal



There is a work function  $\phi$  = energy needed to free most loosely bound electron

Energy conservation:

$$\begin{array}{c} \text{KE} \\ \uparrow \\ \text{kinetic} \\ \text{energy of} \\ \text{electron} \end{array} = E_{\text{light}} - \Phi = hf - \phi$$

$\Rightarrow$  kinetic energy depends linearly on frequency and there exist a threshold frequency

$$0 = hf_0 - \Phi \Rightarrow f_0 = \frac{\Phi}{h}$$

below which no electrons are set free

and this threshold frequency depends on

metal via work function  $\Phi$

> There is a distribution of kinetic energies since different photoelectrons require different amount of energy.

• Intensity considerations

The maximum kinetic energy or the stopping potential is given by

$$KE = hf - \phi = e V_{\text{stop}}$$

$$\Rightarrow V_{\text{stop}} = \frac{hf - \phi}{e}$$

These are independent of intensity.

Let's determine intensity (according to Einstein)

$$\text{Intensity} = \frac{\text{Power}}{\text{Beam area}}$$

$$= \frac{\text{Energy}}{(\text{Time}) (\text{Beam area})}$$

$$= \frac{N hf}{(\text{Time}) (\text{Beam area})}$$

$N$ : number of photons in beam

Since one photon interacts with one electron, we see

current  $\sim$  # ejected electrons

$\sim$  # absorbed photons  $\sim$  Intensity

$\Rightarrow$  Current  $\sim$  Intensity

• Time considerations

Each energy quantum (photon) is instantaneously absorbed entirely by one electron

$\Rightarrow$  There is no time delay between emission of electrons (current) and moment when light is applied.