

What is the direction of the dipole moment of the blue sphere?
a) $\hat{\theta}$
b) $\hat{r}$
c) $z$
d) $\phi$
e) the dipole moment is zero (or is ill defined)

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\begin{aligned}
V(z) & =\frac{1}{4 \pi \varepsilon_{o}} \int \frac{\lambda d z^{\prime}}{\Re} \\
& =\frac{1}{4 \pi \varepsilon_{0}} \int_{z^{\prime}=-d}^{z^{\prime}=0} \frac{\lambda d z^{\prime}}{\left(z-z^{\prime}\right)} \\
& =\left.\frac{\lambda}{4 \pi \varepsilon_{0}}(-) \ln \left(z-z^{\prime}\right)\right|_{-d} ^{0} \\
& =\frac{\lambda}{4 \pi \varepsilon_{0}} \ln \left(\frac{z+d}{z}\right)
\end{aligned}
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The cube below (side a) has uniform polarization $\mathbf{P}_{0}$
(which points in the $z$ direction.)
What is the total dipole moment of this cube?
A) zero
B) $a^{3} P_{0}$
C) $P_{0}$
D) $P_{0} / a^{3}$

E) $2 P_{0} a^{2}$

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MD8-2
A VERY thin slab of thickness $d$ and area $A$ has $\qquad$ volume charge density $\rho=$ Q / V
Because it's so thin, we may think of it as a
surface charge density $\sigma=Q / A$.

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The relation between $\rho$ and $\sigma$ is
A) $\sigma=\rho$ $\qquad$
B) $\sigma=d \rho$
C) $d \sigma=\rho$
D) $\sigma=V \rho$
E) $V \sigma=\rho$

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MD8-3

A linear dielectric in the shape of a rectangular block has a uniform polarization $\mathbf{P}$ (due to an external E-field) $\qquad$ parallel to an edge, as shown. How many of the sides
$\qquad$ $\begin{array}{lllll}\text { A) } 1 & \text { B) } 2 & \text { C) } 4 & \text { D) } 6 & \text { E) } 0\end{array}$
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$\uparrow \mathrm{P}=$ constant
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${ }^{4.4} \mathrm{~A}$ dielectric slab (top area A , height h ) has
been polarized, with $\mathrm{P}=\mathrm{P}_{0}$ (in the +z direction)
What is the surface charge density, $\sigma_{b}$, on the
bottom surface?
A) 0
B) $-P_{0}$
C) $P_{0}$
D) $P_{0} \mathrm{~A} h$
E) $\mathrm{P}_{0} \mathrm{~A}$ $\qquad$
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| Are $\sigma_{b}$ and $\rho_{\mathrm{b}}$ due to real charges? |
| :--- |
| A) Of course not! They are as fictitious as it |
| gets! (Like in the 'method of images.') |
| B) Of course they are! They are as real as |
| it gets! (Like $\sigma$ and $\rho$ in Chapter 2.) |
| C) I have no idea $: 8$ |


[^0]:    Imagine two fluids, red (+) and blue (-), each uniform, identical, in a rectangular shape (area A, height H ).
    This fluid has N "atoms" $/ \mathrm{m}^{\wedge} 3$, and each "atom" (or unit) has available a charge q (which can separate/move). Imagine the red fluid moves UP the page, uniformly, a distance "d".

    1) How much charge $Q$ appears on the top surface? (on the bottom? the sides?)
    2) What is $\sigma$ on the top, in terms $N, q, d, A$, and/or $H$
    3) What is the polarization $P$ in terms of those variables?
    4) What is $\sigma$ on the top in terms of $P$ ?=
    5) What if we displace the fluid that same distance "d", but at an angle $\theta$ with respect to the vertical. What are the answers above?
