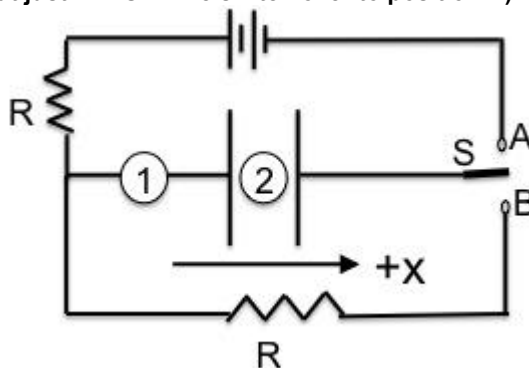


In Phys 3310 (and again at the start of this term) we learned a boundary condition on E: the parallel component of E is always continuous across any boundary. But that was derived from the electrostatics law that $\text{curl}(\mathbf{E})=0$. Now we know that law is not always true, since $\text{curl}(\mathbf{E}) = -d\mathbf{B}/dt$ (Faraday's law). What does the addition of $-d\mathbf{B}/dt$ on the right side do to that boundary condition? [Select ALL that apply]

- No impact, the boundary condition STILL holds, the parallel component of E is still continuous across boundaries, even if $d\mathbf{B}/dt$ is nonzero
- It modifies the boundary condition: now the parallel component of E can "jump" at a boundary, but only if the parallel component of B jumps too
- It modifies the boundary condition: now the parallel component of E will "jump" at a boundary in any situation where $d\mathbf{B}/dt$ is nonzero
- There is no longer any useful boundary condition on the parallel component of E fields in situations where $d\mathbf{B}/dt$ is nonzero.

Optional: Use the space below if you want to elaborate on your answer above.

A parallel capacitor (uncharged) is connected in the circuit by a double throw switch S as shown in the picture. At $t=0$, switch S is thrown to point A and stays for a VERY long time T. At $t=T$, switch S is thrown to point B. Time1 ($t=0+\epsilon$): Shortly after S is thrown to point A Time2 ($t=T-\epsilon$): A VERY long time after S was thrown to point A (but just BEFORE we switch over to position B) Time3 ($t=T+\epsilon$):



Shortly after S is thrown to point B Indicate in the table below if $(\nabla \times \mathbf{B})_x$ is positive (+), negative (-) or (approximately) 0 for these 3 different moments at these two points. (Coordinate defined in the picture)

- Point 1, Time 1 ($t=0+\epsilon$) (+/-/0)
- Point 1, Time 2 ($t=T-\epsilon$) (+/-/0)
- Point 1, Time 3 ($t=T+\epsilon$) (+/-/0)
- Point 2, Time 1 ($t=0+\epsilon$) (+/-/0)
- Point 2, Time 2 ($t=T-\epsilon$) (+/-/0)
- Point 2, Time 3 ($t=T+\epsilon$) (+/-/0)

Please elaborate:...

The continuity equation for current has the form $\text{div}(\mathbf{J}) = -d(\rho)/dt$. Explain briefly what that minus sign tells us?

Consider, in the abstract, a closed surface integral of the flux of some vector field S. Mathematically, this would look like a double integral (with a little "circle" on the double integral signs) of S dotted with $d\mathbf{A}$.

If that integral comes out NEGATIVE, what is it telling you about the vector field?

- That S points INWARDS at all points on the surface
- That S points OUTWARDS at all points on the surface
- That S might be inwards here and outwards there, but overall there is a net INWARD flow of S.
- That S might be inwards here and outwards there, but overall there is a net OUTWARD flow of S.
- None of the above, the sign of the integral doesn't directly tell you anything unambiguous about inward or outward flow.

OPTIONAL: If you want to elaborate on the previous question, use the space below.