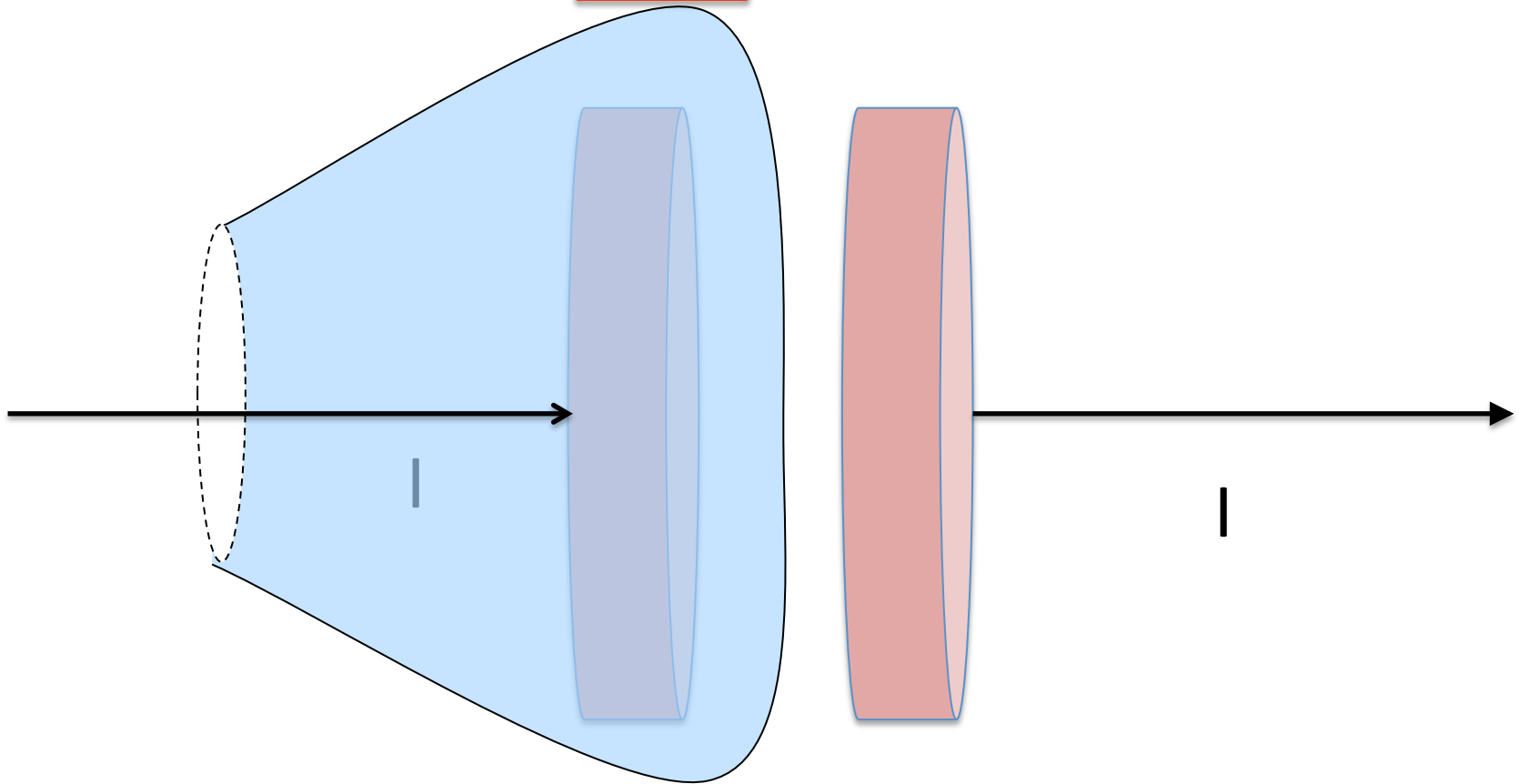


We are interested in B on the dashed “Amperian loop”, and plan to use $\oint \vec{B} \cdot d\vec{l} = \mu_0 I_{\text{thru}}$ to figure it out. **What is I_{thru} ?** *The surface over which we will integrate $\vec{J} \cdot d\vec{A}$ is shown in light blue.* A) I B) $I/2$ C) 0 D) Something else E) ??



Local conservation of electric charge is expressed mathematically by:

$$\frac{\partial \rho}{\partial t} = -\nabla \cdot \vec{\mathbf{J}} \quad \text{where } \mathbf{J} \text{ is "current density"}$$

$\mathbf{J} = \rho \mathbf{v}$ has units of (charge/sec)/m²

We are trying to come up with a "conservation of energy" expression:

$$\frac{\partial(\text{energy density})}{\partial t} = -\nabla \cdot (\textit{something})$$

What sort of beast is this "something" ?

- Is it a scalar, vector, something else?
- How would you interpret it, what words would you use to try to describe it?
- What are its UNITS?

A) J

B) J/s

C) J/m²

D) J/(s m²)

E) Other!